

# Package ‘bsvars’

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**Type** Package

**Title** Bayesian Estimation of Structural Vector Autoregressive Models

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**Description** Efficient algorithms for Bayesian estimation of Structural Vector Autoregressive (SVAR) models via Markov chain Monte Carlo methods. A wide range of SVAR models is considered, including homo- and heteroskedastic specifications and those with non-normal structural shocks. The heteroskedastic SVAR model setup is similar as in Woźniak & Droumaguet (2015) <[doi:10.13140/RG.2.2.19492.55687](https://doi.org/10.13140/RG.2.2.19492.55687)> and Lütkepohl & Woźniak (2020) <[doi:10.1016/j.jedc.2020.103862](https://doi.org/10.1016/j.jedc.2020.103862)>. The sampler of the structural matrix follows Waggoner & Zha (2003) <[doi:10.1016/S0165-1889\(02\)00168-9](https://doi.org/10.1016/S0165-1889(02)00168-9)>, whereas that for autoregressive parameters follows Chan, Koop, Yu (2022) <<https://www.joshuachan.org/papers/OISV.pdf>>. The specification of Markov switching heteroskedasticity is inspired by Song & Woźniak (2021) <[doi:10.1093/acrefore/9780190625979.013.174](https://doi.org/10.1093/acrefore/9780190625979.013.174)>, and that of Stochastic Volatility model by Kastner & Frühwirth-Schnatter (2014) <[doi:10.1016/j.csda.2013.01.002](https://doi.org/10.1016/j.csda.2013.01.002)>.

**License** GPL (>= 3)

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**Suggests** tinytest

**LinkingTo** Rcpp, RcppProgress, RcppArmadillo, RcppTN

**BugReports** <https://github.com/bsvars/bsvars/issues>

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**URL** <https://bsvars.github.io/bsvars/>

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bsvars-package

*Bayesian Estimation of Structural Vector Autoregressive Models***Description**

Efficient and fast algorithms for Bayesian estimation of Structural Vector Autoregressive (SVAR) models via Markov chain Monte Carlo methods. A wide range of SVAR models is considered, including homo- and heteroskedastic specifications and those with non-normal structural shocks. The heteroskedastic SVAR model setup is similar as in Woźniak & Droumaguet (2015) <doi:10.13140/RG.2.2.19492.55687> and Lütkepohl & Woźniak (2020) <doi:10.1016/j.jedc.2020.103862>. The sampler of the structural matrix follows Waggoner & Zha (2003) ,doi:10.1016/S0165-1889(02)00168-9>, whereas that for autoregressive parameters follows Chan, Koop, Yu (2022) <https://www.joshuachan.org/papers/OISV.pdf>. The specification of Markov switching heteroskedasticity is inspired by Song & Woźniak (2021) <doi:10.1093/acrefo/9780190625979.013.174>, and that of Stochastic Volatility model by Kastner & Frühwirth-Schnatter (2014) <doi:10.1016/j.csda.2013.01.002>.

**Details**

All the SVAR models in this package are specified by two equations, including the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by:

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships.

Finally, all of the models share the following assumptions regarding the structural shocks  $U$ , namely, joint conditional normality given the past observations collected in matrix  $X$ , and temporal and contemporaneous independence. The latter implies zero correlations and autocorrelations.

The various SVAR models estimated differ by the specification of structural shocks variances. The different models include:

- homoskedastic model with unit variances
- heteroskedastic model with stationary Markov switching in the variances

- heteroskedastic model with non-centred Stochastic Volatility process for variances
- heteroskedastic model with centred Stochastic Volatility process for variances
- non-normal model with a finite mixture of normal components and component-specific variances
- heteroskedastic model with sparse Markov switching in the variances where the number of heteroskedastic components is estimated
- non-normal model with a sparse mixture of normal components and component-specific variances where the number of heteroskedastic components is estimated

### Note

This package is currently in active development. Your comments, suggestions and requests are warmly welcome!

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

### References

Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs.

### Examples

```
# upload data
data(us_fiscal_lsuv) # upload dependent variables
data(us_fiscal_ex) # upload exogenous variables

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuv, p = 4, exogenous = us_fiscal_ex)
set.seed(123)

# run the burn-in
burn_in = estimate(specification, 10)

# estimate the model
posterior = estimate(burn_in, 10, thin = 2)

# compute impulse responses 2 years ahead
irf = compute_impulse_responses(posterior, horizon = 8)

# compute forecast error variance decomposition 2 years ahead
fevd = compute_variance_decompositions(posterior, horizon = 8)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuv |>
  specify_bsvar_sv$new(p = 4, exogenous = us_fiscal_ex) |>
```

```
estimate(S = 10) |>
estimate(S = 20) |>
compute_variance_decompositions(horizon = 8) -> fevds
```

---

compute\_conditional\_sd

*Computes posterior draws of structural shock conditional standard deviations*

---

### Description

Each of the draws from the posterior estimation of a model is transformed into a draw from the posterior distribution of the structural shock conditional standard deviations.

### Usage

```
compute_conditional_sd(posterior)
```

### Arguments

`posterior` posterior estimation outcome - an object of either of the classes: `PosteriorBSVAR`, `PosteriorBSVARMESH`, `PosteriorBSVARMIX`, or `PosteriorBSVARSV` obtained by running the `estimate` function. The interpretation depends on the normalisation of the shocks using function `normalise_posterior()`. Verify if the default settings are appropriate.

### Value

An object of class `PosteriorSigma`, that is, an  $N \times T \times S$  array with attribute `PosteriorSigma` containing  $S$  draws of the structural shock conditional standard deviations.

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

### See Also

[estimate](#), [normalise\\_posterior](#)

### Examples

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar$new(us_fiscal_lsuw, p = 1)
```

```

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in$get_last_draw(), 50)

# compute structural shocks' conditional standard deviations
sigma       = compute_conditional_sd(posterior)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 50) |>
  estimate(S = 100) |>
  compute_conditional_sd() -> csd

```

---

compute\_fitted\_values *Computes posterior draws of dependent variables' fitted values*

---

### Description

Each of the draws from the posterior estimation of a model is transformed into a draw from the posterior distribution of the fitted values.

### Usage

```
compute_fitted_values(posterior)
```

### Arguments

posterior posterior estimation outcome - an object of either of the classes: PosteriorB-SVAR, PosteriorBSVARMISH, PosteriorBSVARMIX, or PosteriorBSVARSV obtained by running the estimate function.

### Value

An object of class PosteriorFitted, that is, an NxTxS array with attribute PosteriorFitted containing S draws of the fitted values.

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

### See Also

[estimate](#)

**Examples**

```

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar$new(us_fiscal_lsuw, p = 1)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 50)

# compute dependent variables' fitted values
fitted      = compute_fitted_values(posterior)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 50) |>
  estimate(S = 100) |>
  compute_fitted_values() -> fitted

```

---

```
compute_historical_decompositions
```

*Computes posterior draws of historical decompositions*

---

**Description**

Each of the draws from the posterior estimation of a model is transformed into a draw from the posterior distribution of the historical decompositions.

**Usage**

```
compute_historical_decompositions(posterior)
```

**Arguments**

**posterior** posterior estimation outcome - an object of either of the classes: PosteriorBSVAR, PosteriorBSVARMSH, PosteriorBSVARMIX, or PosteriorBSVARSV obtained by running the estimate function. The interpretation depends on the normalisation of the shocks using function `normalise_posterior()`. Verify if the default settings are appropriate.

**Value**

An object of class PosteriorHD, that is, an  $N \times N \times T \times S$  array with attribute PosteriorHD containing  $S$  draws of the historical decompositions.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Kilian, L., & Lütkepohl, H. (2017). Structural VAR Tools, Chapter 4, In: Structural vector autoregressive analysis. Cambridge University Press.

**See Also**

[estimate](#), [normalise\\_posterior](#)

**Examples**

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar$new(us_fiscal_lsuw, p = 1)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 50)

# compute historical decompositions
hd           = compute_historical_decompositions(posterior)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 50) |>
  estimate(S = 100) |>
  compute_historical_decompositions() -> hd
```



---

`compute_impulse_responses`*Computes posterior draws of impulse responses*

---

**Description**

Each of the draws from the posterior estimation of a model is transformed into a draw from the posterior distribution of the impulse responses.

**Usage**

```
compute_impulse_responses(posterior, horizon, standardise = FALSE)
```

**Arguments**

<code>posterior</code>	posterior estimation outcome - an object of either of the classes: <code>PosteriorBSVAR</code> , <code>PosteriorBSVARMESH</code> , <code>PosteriorBSVARMIX</code> , or <code>PosteriorBSVARSV</code> obtained by running the <code>estimate</code> function. The interpretation depends on the normalisation of the shocks using function <code>normalise_posterior()</code> . Verify if the default settings are appropriate.
<code>horizon</code>	a positive integer number denoting the forecast horizon for the impulse responses computations.
<code>standardise</code>	a logical value. If <code>TRUE</code> , the impulse responses are standardised so that the variables' own shocks at horizon 0 are equal to 1. Otherwise, the parameter estimates determine this magnitude.

**Value**

An object of class `PosteriorIR`, that is, an  $N \times N \times (\text{horizon} + 1) \times S$  array with attribute `PosteriorIR` containing  $S$  draws of the impulse responses.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Kilian, L., & Lütkepohl, H. (2017). Structural VAR Tools, Chapter 4, In: Structural vector autoregressive analysis. Cambridge University Press.

**See Also**

[estimate](#), [normalise\\_posterior](#)

**Examples**

```

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar$new(us_fiscal_lsuw, p = 1)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 50)

# compute impulse responses 2 years ahead
irf          = compute_impulse_responses(posterior, horizon = 8)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 10) |>
  estimate(S = 50) |>
  compute_impulse_responses(horizon = 8) -> ir

```

---

```
compute_regime_probabilities
```

*Computes posterior draws of regime probabilities*

---

**Description**

Each of the draws from the posterior estimation of a model is transformed into a draw from the posterior distribution of the regime probabilities. These represent either the realisations of the regime indicators, when type = "realized", filtered probabilities, when type = "filtered", forecasted regime probabilities, when type = "forecasted", or the smoothed probabilities, when type = "smoothed",.

**Usage**

```

compute_regime_probabilities(
  posterior,
  type = c("realized", "filtered", "forecasted", "smoothed")
)

```

**Arguments**

posterior	posterior estimation outcome of regime-dependent heteroskedastic models - an object of either of the classes: PosteriorBSVARMSh, or PosteriorBSVARMIX obtained by running the estimate function.
type	one of the values "realized", "filtered", "forecasted", or "smoothed" denoting the type of probabilities to be computed.

**Value**

An object of class PosteriorRegimePr, that is, an  $M \times T \times S$  array with attribute PosteriorRegimePr containing  $S$  draws of the regime probabilities.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Song, Y., and Woźniak, T., (2021) Markov Switching. *Oxford Research Encyclopedia of Economics and Finance*, Oxford University Press, doi:[10.1093/acrefore/9780190625979.013.174](https://doi.org/10.1093/acrefore/9780190625979.013.174).

**See Also**

[estimate](#), [normalise\\_posterior](#)

**Examples**

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 2, M = 2)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 50)

# compute the posterior draws of realized regime indicators
regimes     = compute_regime_probabilities(posterior)

# compute the posterior draws of filtered probabilities
filtered    = compute_regime_probabilities(posterior, "filtered")

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_msh$new(p = 1, M = 2) |>
```

```

estimate(S = 10) |>
  estimate(S = 50) -> posterior
regimes      = compute_regime_probabilities(posterior)
filtered     = compute_regime_probabilities(posterior, "filtered")

```

---

compute\_structural\_shocks

*Computes posterior draws of structural shocks*

---

### Description

Each of the draws from the posterior estimation of a model is transformed into a draw from the posterior distribution of the structural shocks.

### Usage

```
compute_structural_shocks(posterior)
```

### Arguments

`posterior` posterior estimation outcome - an object of either of the classes: `PosteriorBSVAR`, `PosteriorBSVARMISH`, `PosteriorBSVARMIX`, or `PosteriorBSVARSV` obtained by running the `estimate` function. The interpretation depends on the normalisation of the shocks using function `normalise_posterior()`. Verify if the default settings are appropriate.

### Value

An object of class `PosteriorShocks`, that is, an  $N \times T \times S$  array with attribute `PosteriorShocks` containing  $S$  draws of the structural shocks.

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

### See Also

[estimate](#), [normalise\\_posterior](#)

### Examples

```

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar$new(us_fiscal_lsuw, p = 2)

```

```

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in$get_last_draw(), 50)

# compute structural shocks
shocks      = compute_structural_shocks(posterior)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 10) |>
  estimate(S = 50) |>
  compute_structural_shocks() -> ss

```

---

```
compute_variance_decompositions
```

*Computes posterior draws of the forecast error variance decomposition*

---

## Description

Each of the draws from the posterior estimation of a model is transformed into a draw from the posterior distribution of the forecast error variance decomposition.

## Usage

```
compute_variance_decompositions(posterior, horizon)
```

## Arguments

posterior	posterior estimation outcome - an object of one of the classes: PosteriorBSVAR, PosteriorBSVARMSH, PosteriorBSVARMIX, or PosteriorBSVARSV obtained by running the estimate function. The interpretation depends on the normalisation of the shocks using function normalise_posterior(). Verify if the default settings are appropriate.
horizon	a positive integer number denoting the forecast horizon for the impulse responses computations.

## Value

An object of class PosteriorFEVD, that is, an  $N \times N \times (\text{horizon} + 1) \times S$  array with attribute PosteriorFEVD containing  $S$  draws of the forecast error variance decomposition.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Kilian, L., & Lütkepohl, H. (2017). Structural VAR Tools, Chapter 4, In: Structural vector autoregressive analysis. Cambridge University Press.

**See Also**

[compute\\_impulse\\_responses](#), [estimate](#), [normalise\\_posterior](#)

**Examples**

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar$new(us_fiscal_lsuw, p = 2)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in$get_last_draw(), 50)

# compute forecast error variance decomposition 2 years ahead
fevd        = compute_variance_decompositions(posterior, horizon = 8)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 2) |>
  estimate(S = 10) |>
  estimate(S = 50) |>
  compute_variance_decompositions(horizon = 8) -> fevd
```

---

estimate

*Bayesian estimation of Structural Vector Autoregressions via Gibbs sampler*

---

**Description**

Estimates homo- or heteroskedastic SVAR models using the Gibbs sampler proposed by Waggoner & Zha (2003) for the structural matrix  $B$  and the equation-by-equation sampler by Chan, Koop, & Yu (2021) for the autoregressive slope parameters  $A$ . Additionally, the parameter matrices  $A$  and

$B$  follow a Minnesota prior and generalised-normal prior distributions respectively with the matrix-specific overall shrinkage parameters estimated using a hierarchical prior distribution. A variety of models for conditional variances are possible including versions of Stochastic Volatility and Markov-switching heteroskedasticity. Non-normal specifications include finite and sparse normal mixture model for the structural shocks. See section **Details** for the model equations.

### Usage

```
estimate(specification, S, thin = 10, show_progress = TRUE)
```

### Arguments

`specification` an object of class `BSVAR`, `BSVARMSH`, `BSVARMIX`, or `BSVARSV` generated using one of the `specify_bsvar*` functions or an object of class `PosteriorBSVAR`, `PosteriorBSVARMSH`, `PosteriorBSVARMIX`, or `PosteriorBSVARSV` generated using the function `estimate`. The latter type of input facilitates the continuation of the MCMC sampling starting from the last draw of the previous run.

`S` a positive integer, the number of posterior draws to be generated

`thin` a positive integer, specifying the frequency of MCMC output thinning

`show_progress` a logical value, if `TRUE` the estimation progress bar is visible

### Details

The homoskedastic SVAR model is given by the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships.

The structural shocks,  $U$ , are temporally and contemporaneously independent and jointly normally distributed with zero mean and unit variances.

The various SVAR models estimated differ by the specification of structural shocks variances. Their specification depends on the `specify_bsvar*` function used. The different models include:

- homoskedastic model with unit variances
- heteroskedastic model with stationary Markov switching in the variances
- heteroskedastic model with Stochastic Volatility process for variances
- non-normal model with a finite mixture of normal components and component-specific variances
- heteroskedastic model with sparse Markov switching in the variances where the number of heteroskedastic components is estimated
- non-normal model with a sparse mixture of normal components and component-specific variances where the number of heteroskedastic components is estimated

**Value**

An object of class PosteriorBSVAR, PosteriorBSVARMSH, PosteriorBSVARMIX, or PosteriorBSVARSV containing the Bayesian estimation output and containing two elements:

`posterior` a list with a collection of  $S$  draws from the posterior distribution generated via Gibbs sampler containing many arrays and vectors whose selection depends on the model specification.  
`last_draw` an object of class BSVAR, BSVARMSH, BSVARMIX, or BSVARSV with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Sampling from the generalised-normal full conditional posterior distribution of matrix  $B$  is implemented using the Gibbs sampler by:

Waggoner, D.F., and Zha, T., (2003) A Gibbs sampler for structural vector autoregressions. *Journal of Economic Dynamics and Control*, **28**, 349–366, doi:10.1016/S01651889(02)001689.

Sampling from the multivariate normal full conditional posterior distribution of each of the  $A$  matrix row is implemented using the sampler by:

Chan, J.C.C., Koop, G, and Yu, X. (2021) Large Order-Invariant Bayesian VARs with Stochastic Volatility.

**See Also**

[specify\\_bsvar](#), [specify\\_bsvar\\_msh](#), [specify\\_bsvar\\_mix](#), [specify\\_bsvar\\_sv](#), [normalise\\_posterior](#)

**Examples**

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuv)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuv, p = 4)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 50)

# estimate the model
posterior    = estimate(burn_in, 100)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuv |>
```



```

specify_bsvar$new(p = 1) |>
estimate(S = 50) |>
estimate(S = 100) |>
compute_impulse_responses(horizon = 8) -> irf

```

---

estimate.BSVAR	<i>Bayesian estimation of a homoskedastic Structural Vector Autoregression via Gibbs sampler</i>
----------------	--

---

### Description

Estimates the homoskedastic SVAR using the Gibbs sampler proposed by Waggoner & Zha (2003) for the structural matrix  $B$  and the equation-by-equation sampler by Chan, Koop, & Yu (2021) for the autoregressive slope parameters  $A$ . Additionally, the parameter matrices  $A$  and  $B$  follow a Minnesota prior and generalised-normal prior distributions respectively with the matrix-specific overall shrinkage parameters estimated using a hierarchical prior distribution. See section **Details** for the model equations.

### Usage

```

## S3 method for class 'BSVAR'
estimate(specification, S, thin = 10, show_progress = TRUE)

```

### Arguments

`specification` an object of class BSVAR generated using the `specify_bsvar$new()` function.  
`S` a positive integer, the number of posterior draws to be generated  
`thin` a positive integer, specifying the frequency of MCMC output thinning  
`show_progress` a logical value, if TRUE the estimation progress bar is visible

### Details

The homoskedastic SVAR model is given by the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships.

Finally, the structural shocks,  $U$ , are temporally and contemporaneously independent and jointly normally distributed with zero mean and unit variances.

**Value**

An object of class PosteriorBSVAR containing the Bayesian estimation output and containing two elements:

**posterior** a list with a collection of  $S$  draws from the posterior distribution generated via Gibbs sampler containing:

**A** an  $N \times K \times S$  array with the posterior draws for matrix  $A$

**B** an  $N \times N \times S$  array with the posterior draws for matrix  $B$

**hyper** a  $5 \times S$  matrix with the posterior draws for the hyper-parameters of the hierarchical prior distribution

**last\_draw** an object of class BSVAR with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Sampling from the generalised-normal full conditional posterior distribution of matrix  $B$  is implemented using the Gibbs sampler by:

Waggoner, D.F., and Zha, T., (2003) A Gibbs sampler for structural vector autoregressions. *Journal of Economic Dynamics and Control*, **28**, 349–366, doi:10.1016/S01651889(02)001689.

Sampling from the multivariate normal full conditional posterior distribution of each of the  $A$  matrix row is implemented using the sampler by:

Chan, J.C.C., Koop, G, and Yu, X. (2021) Large Order-Invariant Bayesian VARs with Stochastic Volatility.

**See Also**

[specify\\_bsvar](#), [specify\\_posterior\\_bsvar](#), [normalise\\_posterior](#)

**Examples**

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuw, p = 4)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 50)

# estimate the model
posterior    = estimate(burn_in, 100)
```

```
# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 50) |>
  compute_impulse_responses(horizon = 4) -> irf
```

---

estimate.BSVARMIX	<i>Bayesian estimation of a Structural Vector Autoregression with shocks following a finite mixture of normal components via Gibbs sampler</i>
-------------------	--

---

## Description

Estimates the SVAR with non-normal residuals following a finite M mixture of normal distributions proposed by Woźniak & Droumaguet (2022). Implements the Gibbs sampler proposed by Waggoner & Zha (2003) for the structural matrix  $B$  and the equation-by-equation sampler by Chan, Koop, & Yu (2021) for the autoregressive slope parameters  $A$ . Additionally, the parameter matrices  $A$  and  $B$  follow a Minnesota prior and generalised-normal prior distributions respectively with the matrix-specific overall shrinkage parameters estimated thanks to a hierarchical prior distribution. The finite mixture of normals model is estimated using the prior distributions and algorithms proposed by Woźniak & Droumaguet (2022). See section **Details** for the model equations.

## Usage

```
## S3 method for class 'BSVARMIX'
estimate(specification, S, thin = 10, show_progress = TRUE)
```

## Arguments

specification	an object of class BSVARMIX generated using the specify_bsvar_mix\$new() function.
S	a positive integer, the number of posterior draws to be generated
thin	a positive integer, specifying the frequency of MCMC output thinning
show_progress	a logical value, if TRUE the estimation progress bar is visible

## Details

The heteroskedastic SVAR model is given by the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships.

Finally, the structural shocks,  $U$ , are temporally and contemporaneously independent and finite-mixture of normals distributed with zero mean. The conditional variance of the  $n$ th shock at time  $t$  is given by:

$$Var_{t-1}[u_{n,t}] = s_{n,s_t}^2$$

where  $s_t$  is a the regime indicator of the regime-specific conditional variances of structural shocks  $s_{n,s_t}^2$ . In this model, the variances of each of the structural shocks sum to  $M$ .

The regime indicator  $s_t$  is either such that:

- the regime probabilities are non-zero which requires all regimes to have a positive number occurrences over the sample period, or
- sparse with potentially many regimes with zero occurrences over the sample period and in which the number of regimes is estimated.

These model selection also with this respect is made using function [specify\\_bsvar\\_mix](#).

## Value

An object of class PosteriorBSVARMIX containing the Bayesian estimation output and containing two elements:

**posterior** a list with a collection of  $S$  draws from the posterior distribution generated via Gibbs sampler containing:

**A** an  $N \times K \times S$  array with the posterior draws for matrix  $A$

**B** an  $N \times N \times S$  array with the posterior draws for matrix  $B$

**hyper** a  $5 \times S$  matrix with the posterior draws for the hyper-parameters of the hierarchical prior distribution

**sigma2** an  $N \times M \times S$  array with the posterior draws for the structural shocks conditional variances

**PR\_TR** an  $M \times M \times S$  array with the posterior draws for the transition matrix.

**xi** an  $M \times T \times S$  array with the posterior draws for the regime allocation matrix.

**pi\_0** an  $M \times S$  matrix with the posterior draws for the ergodic probabilities

**sigma** an  $N \times T \times S$  array with the posterior draws for the structural shocks conditional standard deviations' series over the sample period

**last\_draw** an object of class BSVARMIX with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

## Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

## References

- The model, prior distributions, and estimation algorithms were proposed by
- Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs
- Some more analysis on heteroskedastic SVAR models was proposed by:
- Lütkepohl, H., and Woźniak, T., (2020) Bayesian Inference for Structural Vector Autoregressions Identified by Markov-Switching Heteroskedasticity. *Journal of Economic Dynamics and Control* **113**, 103862, doi:10.1016/j.jedc.2020.103862.
- Sampling from the generalised-normal full conditional posterior distribution of matrix  $B$  is implemented using the Gibbs sampler by:
- Waggoner, D.F., and Zha, T., (2003) A Gibbs sampler for structural vector autoregressions. *Journal of Economic Dynamics and Control*, **28**, 349–366, doi:10.1016/S01651889(02)001689.
- Sampling from the multivariate normal full conditional posterior distribution of each of the  $A$  matrix row is implemented using the sampler by:
- Chan, J.C.C., Koop, G., and Yu, X. (2021) Large Order-Invariant Bayesian VARs with Stochastic Volatility.
- The estimation of the mixture of normals heteroskedasticity closely follows procedures described by:
- Song, Y., and Woźniak, T., (2021) Markov Switching. *Oxford Research Encyclopedia of Economics and Finance*, Oxford University Press, doi:10.1093/acrefore/9780190625979.013.174.
- and
- Frühwirth-Schnatter, S., (2006) Finite Mixture and Markov Switching Models. Springer Series in Statistics. New York: Springer, doi:10.1007/9780387357683.
- The sparse model is inspired by:
- Malsiner-Walli, G., Frühwirth-Schnatter, S., and Grün, B. (2016) Model-based clustering based on sparse finite Gaussian mixtures. *Statistics and Computing*, **26**(1–2), 303–324, doi:10.1007/s11222-01495002.
- The forward-filtering backward-sampling is implemented following the proposal by:
- Chib, S. (1996) Calculating posterior distributions and modal estimates in Markov mixture models. *Journal of Econometrics*, **75**(1), 79–97, doi:10.1016/03044076(95)017704.

## See Also

[specify\\_bsvar\\_mix](#), [specify\\_posterior\\_bsvar\\_mix](#), [normalise\\_posterior](#)

## Examples

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 1, M = 2)
```

```

set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 50)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_mix$new(p = 1, M = 2) |>
  estimate(S = 10) |>
  estimate(S = 50) |>
  compute_impulse_responses(horizon = 4) -> irf

```

---

estimate.BSVARMSH	<i>Bayesian estimation of a Structural Vector Autoregression with Markov-switching heteroskedasticity via Gibbs sampler</i>
-------------------	---

---

## Description

Estimates the SVAR with Markov-switching heteroskedasticity with  $M$  regimes (MS( $M$ )) proposed by Woźniak & Droumaguet (2022). Implements the Gibbs sampler proposed by Waggoner & Zha (2003) for the structural matrix  $B$  and the equation-by-equation sampler by Chan, Koop, & Yu (2021) for the autoregressive slope parameters  $A$ . Additionally, the parameter matrices  $A$  and  $B$  follow a Minnesota prior and generalised-normal prior distributions respectively with the matrix-specific overall shrinkage parameters estimated thanks to a hierarchical prior distribution. The MS model is estimated using the prior distributions and algorithms proposed by Woźniak & Droumaguet (2022). See section **Details** for the model equations.

## Usage

```

## S3 method for class 'BSVARMSH'
estimate(specification, S, thin = 10, show_progress = TRUE)

```

## Arguments

specification	an object of class BSVARMSH generated using the specify_bsvar_msh\$new() function.
S	a positive integer, the number of posterior draws to be generated
thin	a positive integer, specifying the frequency of MCMC output thinning
show_progress	a logical value, if TRUE the estimation progress bar is visible

## Details

The heteroskedastic SVAR model is given by the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships.

Finally, the structural shocks,  $U$ , are temporally and contemporaneously independent and jointly normally distributed with zero mean. The conditional variance of the  $n$ th shock at time  $t$  is given by:

$$\text{Var}_{t-1}[u_{n,t}] = s_{n,s_t}^2$$

where  $s_t$  is a Markov process driving the time-variability of the regime-specific conditional variances of structural shocks  $s_{n,s_t}^2$ . In this model, the variances of each of the structural shocks sum to  $M$ .

The Markov process  $s_t$  is either:

- stationary, irreducible, and aperiodic which requires all regimes to have a positive number of occurrences over the sample period, or
- sparse with potentially many regimes with zero occurrences over the sample period and in which the number of regimes is estimated.

These model selection also with this respect is made using function [specify\\_bsvar\\_msh](#).

## Value

An object of class PosteriorBSVARMSH containing the Bayesian estimation output and containing two elements:

**posterior** a list with a collection of  $S$  draws from the posterior distribution generated via Gibbs sampler containing:

**A** an  $N \times K \times S$  array with the posterior draws for matrix  $A$

**B** an  $N \times N \times S$  array with the posterior draws for matrix  $B$

**hyper** a  $5 \times S$  matrix with the posterior draws for the hyper-parameters of the hierarchical prior distribution

**sigma2** an  $N \times M \times S$  array with the posterior draws for the structural shocks conditional variances

**PR\_TR** an  $M \times M \times S$  array with the posterior draws for the transition matrix.

**xi** an  $M \times T \times S$  array with the posterior draws for the regime allocation matrix.

**pi\_0** an  $M \times S$  matrix with the posterior draws for the initial state probabilities

**sigma** an  $N \times T \times S$  array with the posterior draws for the structural shocks conditional standard deviations' series over the sample period

**last\_draw** an object of class BSVARMSH with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

The model, prior distributions, and estimation algorithms were proposed by

Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs

Some more analysis on heteroskedastic SVAR models was proposed by:

Lütkepohl, H., and Woźniak, T., (2020) Bayesian Inference for Structural Vector Autoregressions Identified by Markov-Switching Heteroskedasticity. *Journal of Economic Dynamics and Control* **113**, 103862, doi:10.1016/j.jedc.2020.103862.

Sampling from the generalised-normal full conditional posterior distribution of matrix  $B$  is implemented using the Gibbs sampler by:

Waggoner, D.F., and Zha, T., (2003) A Gibbs sampler for structural vector autoregressions. *Journal of Economic Dynamics and Control*, **28**, 349–366, doi:10.1016/S01651889(02)001689.

Sampling from the multivariate normal full conditional posterior distribution of each of the  $A$  matrix row is implemented using the sampler by:

Chan, J.C.C., Koop, G, and Yu, X. (2021) Large Order-Invariant Bayesian VARs with Stochastic Volatility.

The estimation of the Markov-switching heteroskedasticity closely follows procedures described by:

Song, Y., and Woźniak, T., (2021) Markov Switching. *Oxford Research Encyclopedia of Economics and Finance*, Oxford University Press, doi:10.1093/acrefore/9780190625979.013.174.

and

Frühwirth-Schnatter, S., (2006) Finite Mixture and Markov Switching Models. Springer Series in Statistics. New York: Springer, doi:10.1007/9780387357683.

The sparse model is inspired by:

Malsiner-Walli, G., Frühwirth-Schnatter, S., and Grün, B. (2016) Model-based clustering based on sparse finite Gaussian mixtures. *Statistics and Computing*, **26**(1–2), 303–324, doi:10.1007/s11222-01495002.

The forward-filtering backward-sampling is implemented following the proposal by:

Chib, S. (1996) Calculating posterior distributions and modal estimates in Markov mixture models. *Journal of Econometrics*, **75**(1), 79–97, doi:10.1016/03044076(95)017704.

**See Also**

[specify\\_bsvar\\_msh](#), [specify\\_posterior\\_bsvar\\_msh](#), [normalise\\_posterior](#)

**Examples**

```
# simple workflow
#####
# upload data
```



```

data(us_fiscal_lsuv)

# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuv, p = 1, M = 2)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 50)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuv |>
  specify_bsvar_msh$new(p = 1, M = 2) |>
  estimate(S = 10) |>
  estimate(S = 50) |>
  compute_impulse_responses(horizon = 4) -> irf

```

---

estimate.BSVARSV	<i>Bayesian estimation of a Structural Vector Autoregression with Stochastic Volatility heteroskedasticity via Gibbs sampler</i>
------------------	--

---

## Description

Estimates the SVAR with Stochastic Volatility (SV) heteroskedasticity proposed by Lütkepohl, Shang, Uzeda, and Woźniak (2022). Implements the Gibbs sampler proposed by Waggoner & Zha (2003) for the structural matrix  $B$  and the equation-by-equation sampler by Chan, Koop, & Yu (2021) for the autoregressive slope parameters  $A$ . Additionally, the parameter matrices  $A$  and  $B$  follow a Minnesota prior and generalised-normal prior distributions respectively with the matrix-specific overall shrinkage parameters estimated thanks to a hierarchical prior distribution. The SV model is estimated using a range of techniques including: simulation smoother, auxiliary mixture, ancillarity-sufficiency interweaving strategy, and generalised inverse Gaussian distribution summarised by Kastner & Frühwirth-Schnatter (2014). See section **Details** for the model equations.

## Usage

```

## S3 method for class 'BSVARSV'
estimate(specification, S, thin = 10, show_progress = TRUE)

```

## Arguments

specification	an object of class BSVARSV generated using the specify_bsvar_sv\$new() function.
S	a positive integer, the number of posterior draws to be generated
thin	a positive integer, specifying the frequency of MCMC output thinning
show_progress	a logical value, if TRUE the estimation progress bar is visible

## Details

The heteroskedastic SVAR model is given by the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships. Finally, the structural shocks,  $U$ , are temporally and contemporaneously independent and jointly normally distributed with zero mean.

Two alternative specifications of the conditional variance of the  $n$ th shock at time  $t$  can be estimated: non-centred Stochastic Volatility by Lütkepohl, Shang, Uzeda, and Woźniak (2022) or centred Stochastic Volatility by Chan, Koop, & Yu (2021).

The non-centred Stochastic Volatility by Lütkepohl, Shang, Uzeda, and Woźniak (2022) is selected by setting argument `centred_sv` of function `specify_bsvar_sv$new()` to value `FALSE`. It has the conditional variances given by:

$$\text{Var}_{t-1}[u_{n,t}] = \exp(w_n h_{n,t})$$

where  $w_n$  is the estimated conditional standard deviation of the log-conditional variance and the log-volatility process  $h_{n,t}$  follows an autoregressive process:

$$h_{n,t} = g_n h_{n,t-1} + v_{n,t}$$

where  $h_{n,0} = 0$ ,  $g_n$  is an autoregressive parameter and  $v_{n,t}$  is a standard normal error term.

The centred Stochastic Volatility by Chan, Koop, & Yu (2021) is selected by setting argument `centred_sv` of function `specify_bsvar_sv$new()` to value `TRUE`. Its conditional variances are given by:

$$\text{Var}_{t-1}[u_{n,t}] = \exp(h_{n,t})$$

where the log-conditional variances  $h_{n,t}$  follow an autoregressive process:

$$h_{n,t} = g_n h_{n,t-1} + v_{n,t}$$

where  $h_{n,0} = 0$ ,  $g_n$  is an autoregressive parameter and  $v_{n,t}$  is a zero-mean normal error term with variance  $s_{v,n}^2$ .

## Value

An object of class `PosteriorBSVARSV` containing the Bayesian estimation output and containing two elements:

`posterior` a list with a collection of  $S$  draws from the posterior distribution generated via Gibbs sampler containing:

**A** an  $N \times K \times S$  array with the posterior draws for matrix  $A$

**B** an  $N \times N \times S$  array with the posterior draws for matrix  $B$

**hyper** a  $5 \times S$  matrix with the posterior draws for the hyper-parameters of the hierarchical prior distribution

**h** an  $N \times T \times S$  array with the posterior draws of the log-volatility processes

**rho** an  $N \times S$  matrix with the posterior draws of SV autoregressive parameters

**omega** an  $N \times S$  matrix with the posterior draws of SV process conditional standard deviations

**S** an  $N \times T \times S$  array with the posterior draws of the auxiliary mixture component indicators

**sigma2\_omega** an  $N \times S$  matrix with the posterior draws of the variances of the zero-mean normal prior for omega

**s\_** an  $S$ -vector with the posterior draws of the scale of the gamma prior of the hierarchical prior for sigma2\_omega

**last\_draw** an object of class BSVARSV with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

#### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

#### References

The model, prior distributions, and estimation algorithms were proposed by

Lütkepohl, H., Shang, F., Uzeda, L., and Woźniak, T. (2022) Partial Identification of Heteroskedastic Structural VARs: Theory and Bayesian Inference.

Sampling from the generalised-normal full conditional posterior distribution of matrix  $B$  is implemented using the Gibbs sampler by:

Waggoner, D.F., and Zha, T., (2003) A Gibbs sampler for structural vector autoregressions. *Journal of Economic Dynamics and Control*, **28**, 349–366, doi:10.1016/S01651889(02)001689.

Sampling from the multivariate normal full conditional posterior distribution of each of the  $A$  matrix row is implemented using the sampler by:

Chan, J.C.C., Koop, G, and Yu, X. (2021) Large Order-Invariant Bayesian VARs with Stochastic Volatility.

Many of the techniques employed for the estimation of the Stochastic Volatility model are summarised by:

Kastner, G. and Frühwirth-Schnatter, S. (2014) Ancillarity-Sufficiency Interweaving Strategy (ASIS) for Boosting MCMC Estimation of Stochastic Volatility Models. *Computational Statistics & Data Analysis*, **76**, 408–423, doi:10.1016/j.csda.2013.01.002.

#### See Also

[specify\\_bsvar\\_sv](#), [specify\\_posterior\\_bsvar\\_sv](#), [normalise\\_posterior](#)

## Examples

```

# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 1)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 10, thin = 2)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_sv$new(p = 1) |>
  estimate(S = 10) |>
  estimate(S = 10, thin = 2) |>
  compute_impulse_responses(horizon = 4) -> irf

```

---

```
estimate.PosteriorBSVAR
```

*Bayesian estimation of a homoskedastic Structural Vector Autoregression via Gibbs sampler*

---

## Description

Estimates the homoskedastic SVAR using the Gibbs sampler proposed by Waggoner & Zha (2003) for the structural matrix  $B$  and the equation-by-equation sampler by Chan, Koop, & Yu (2021) for the autoregressive slope parameters  $A$ . Additionally, the parameter matrices  $A$  and  $B$  follow a Minnesota prior and generalised-normal prior distributions respectively with the matrix-specific overall shrinkage parameters estimated using a hierarchical prior distribution. See section **Details** for the model equations.

## Usage

```
## S3 method for class 'PosteriorBSVAR'
estimate(specification, S, thin = 10, show_progress = TRUE)
```

## Arguments

`specification` an object of class `PosteriorBSVAR` generated using the `estimate.BSVAR()` function. This setup facilitates the continuation of the MCMC sampling starting from the last draw of the previous run.

**S** a positive integer, the number of posterior draws to be generated  
**thin** a positive integer, specifying the frequency of MCMC output thinning  
**show\_progress** a logical value, if TRUE the estimation progress bar is visible

### Details

The homoskedastic SVAR model is given by the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships.

Finally, the structural shocks,  $U$ , are temporally and contemporaneously independent and jointly normally distributed with zero mean and unit variances.

### Value

An object of class PosteriorBSVAR containing the Bayesian estimation output and containing two elements:

**posterior** a list with a collection of  $S$  draws from the posterior distribution generated via Gibbs sampler containing:

**A** an  $N \times K \times S$  array with the posterior draws for matrix  $A$

**B** an  $N \times N \times S$  array with the posterior draws for matrix  $B$

**hyper** a  $5 \times S$  matrix with the posterior draws for the hyper-parameters of the hierarchical prior distribution

**last\_draw** an object of class BSVAR with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

### References

Sampling from the generalised-normal full conditional posterior distribution of matrix  $B$  is implemented using the Gibbs sampler by:

Waggoner, D.F., and Zha, T., (2003) A Gibbs sampler for structural vector autoregressions. *Journal of Economic Dynamics and Control*, **28**, 349–366, doi:10.1016/S01651889(02)001689.

Sampling from the multivariate normal full conditional posterior distribution of each of the  $A$  matrix row is implemented using the sampler by:

Chan, J.C.C., Koop, G, and Yu, X. (2021) Large Order-Invariant Bayesian VARs with Stochastic Volatility.

**See Also**

[specify\\_bsvar](#), [specify\\_posterior\\_bsvar](#), [normalise\\_posterior](#)

**Examples**

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuv)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuv, p = 1)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 50)

# estimate the model
posterior    = estimate(burn_in, 100)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuv |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 50) |>
  estimate(S = 100) |>
  compute_impulse_responses(horizon = 4) -> irf
```

---

estimate.PosteriorBSVARMIX

*Bayesian estimation of a Structural Vector Autoregression with shocks  
following a finite mixture of normal components via Gibbs sampler*

---

**Description**

Estimates the SVAR with non-normal residuals following a finite  $M$  mixture of normal distributions proposed by Woźniak & Droumaguet (2022). Implements the Gibbs sampler proposed by Waggoner & Zha (2003) for the structural matrix  $B$  and the equation-by-equation sampler by Chan, Koop, & Yu (2021) for the autoregressive slope parameters  $A$ . Additionally, the parameter matrices  $A$  and  $B$  follow a Minnesota prior and generalised-normal prior distributions respectively with the matrix-specific overall shrinkage parameters estimated thanks to a hierarchical prior distribution. The finite mixture of normals model is estimated using the prior distributions and algorithms proposed by Woźniak & Droumaguet (2022). See section **Details** for the model equations.

**Usage**

```
## S3 method for class 'PosteriorBSVARMIX'
estimate(specification, S, thin = 10, show_progress = TRUE)
```

**Arguments**

specification	an object of class PosteriorBSVARMIX generated using the estimate.BSVAR() function. This setup facilitates the continuation of the MCMC sampling starting from the last draw of the previous run.
S	a positive integer, the number of posterior draws to be generated
thin	a positive integer, specifying the frequency of MCMC output thinning
show_progress	a logical value, if TRUE the estimation progress bar is visible

**Details**

The heteroskedastic SVAR model is given by the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships.

Finally, the structural shocks,  $U$ , are temporally and contemporaneously independent and finite-mixture of normals distributed with zero mean. The conditional variance of the  $n$ th shock at time  $t$  is given by:

$$Var_{t-1}[u_{n,t}] = s_{n,s_t}^2$$

where  $s_t$  is the regime indicator of the regime-specific conditional variances of structural shocks  $s_{n,s_t}^2$ . In this model, the variances of each of the structural shocks sum to  $M$ .

The regime indicator  $s_t$  is either such that:

- the regime probabilities are non-zero which requires all regimes to have a positive number occurrences over the sample period, or
- sparse with potentially many regimes with zero occurrences over the sample period and in which the number of regimes is estimated.

These model selection also with this respect is made using function [specify\\_bsvar\\_mix](#).

**Value**

An object of class PosteriorBSVARMIX containing the Bayesian estimation output and containing two elements:

posterior a list with a collection of  $S$  draws from the posterior distribution generated via Gibbs sampler containing:

**A** an  $N \times K \times S$  array with the posterior draws for matrix  $A$

**B** an  $N \times N \times S$  array with the posterior draws for matrix  $B$

**hyper** a  $5 \times S$  matrix with the posterior draws for the hyper-parameters of the hierarchical prior distribution

**sigma2** an  $N \times M \times S$  array with the posterior draws for the structural shocks conditional variances

**PR\_TR** an  $M \times M \times S$  array with the posterior draws for the transition matrix.

**xi** an  $M \times T \times S$  array with the posterior draws for the regime allocation matrix.

**pi\_0** an  $M \times S$  matrix with the posterior draws for the ergodic probabilities

**sigma** an  $N \times T \times S$  array with the posterior draws for the structural shocks conditional standard deviations' series over the sample period

**last\_draw** an object of class BSVARMIX with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

### References

The model, prior distributions, and estimation algorithms were proposed by

Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs

Some more analysis on heteroskedastic SVAR models was proposed by:

Lütkepohl, H., and Woźniak, T., (2020) Bayesian Inference for Structural Vector Autoregressions Identified by Markov-Switching Heteroskedasticity. *Journal of Economic Dynamics and Control* **113**, 103862, doi:10.1016/j.jedc.2020.103862.

Sampling from the generalised-normal full conditional posterior distribution of matrix  $B$  is implemented using the Gibbs sampler by:

Waggoner, D.F., and Zha, T., (2003) A Gibbs sampler for structural vector autoregressions. *Journal of Economic Dynamics and Control*, **28**, 349–366, doi:10.1016/S01651889(02)001689.

Sampling from the multivariate normal full conditional posterior distribution of each of the  $A$  matrix row is implemented using the sampler by:

Chan, J.C.C., Koop, G., and Yu, X. (2021) Large Order-Invariant Bayesian VARs with Stochastic Volatility.

The estimation of the mixture of normals heteroskedasticity closely follows procedures described by:

Song, Y., and Woźniak, T., (2021) Markov Switching. *Oxford Research Encyclopedia of Economics and Finance*, Oxford University Press, doi:10.1093/acrefore/9780190625979.013.174.

and

Frühwirth-Schnatter, S., (2006) Finite Mixture and Markov Switching Models. Springer Series in Statistics. New York: Springer, doi:10.1007/9780387357683.

The sparse model is inspired by:

Malsiner-Walli, G., Frühwirth-Schnatter, S., and Grün, B. (2016) Model-based clustering based on sparse finite Gaussian mixtures. *Statistics and Computing*, **26**(1–2), 303–324, doi:10.1007/s11222-01495002.



The forward-filtering backward-sampling is implemented following the proposal by:  
 Chib, S. (1996) Calculating posterior distributions and modal estimates in Markov mixture models. *Journal of Econometrics*, **75**(1), 79–97, doi:10.1016/03044076(95)017704.

### See Also

[specify\\_bsvar\\_mix](#), [specify\\_posterior\\_bsvar\\_mix](#), [normalise\\_posterior](#)

### Examples

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 1, M = 2)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 50)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_mix$new(p = 1, M = 2) |>
  estimate(S = 10) |>
  estimate(S = 50) |>
  compute_impulse_responses(horizon = 4) -> irf
```

---

estimate.PosteriorBSVARMSH

*Bayesian estimation of a Structural Vector Autoregression with  
 Markov-switching heteroskedasticity via Gibbs sampler*

---

### Description

Estimates the SVAR with Markov-switching heteroskedasticity with  $M$  regimes (MS( $M$ )) proposed by Woźniak & Droumaguet (2022). Implements the Gibbs sampler proposed by Waggoner & Zha (2003) for the structural matrix  $B$  and the equation-by-equation sampler by Chan, Koop, & Yu (2021) for the autoregressive slope parameters  $A$ . Additionally, the parameter matrices  $A$  and  $B$  follow a Minnesota prior and generalised-normal prior distributions respectively with the matrix-specific overall shrinkage parameters estimated thanks to a hierarchical prior distribution. The MS model is estimated using the prior distributions and algorithms proposed by Woźniak & Droumaguet (2022). See section **Details** for the model equations.

**Usage**

```
## S3 method for class 'PosteriorBSVARMSh'
estimate(specification, S, thin = 10, show_progress = TRUE)
```

**Arguments**

`specification` an object of class `PosteriorBSVARMSh` generated using the `estimate.BSVAR()` function. This setup facilitates the continuation of the MCMC sampling starting from the last draw of the previous run.

`S` a positive integer, the number of posterior draws to be generated

`thin` a positive integer, specifying the frequency of MCMC output thinning

`show_progress` a logical value, if `TRUE` the estimation progress bar is visible

**Details**

The heteroskedastic SVAR model is given by the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships.

Finally, the structural shocks,  $U$ , are temporally and contemporaneously independent and jointly normally distributed with zero mean. The conditional variance of the  $n$ th shock at time  $t$  is given by:

$$Var_{t-1}[u_{n,t}] = s_{n,s_t}^2$$

where  $s_t$  is a Markov process driving the time-variability of the regime-specific conditional variances of structural shocks  $s_{n,s_t}^2$ . In this model, the variances of each of the structural shocks sum to  $M$ .

The Markov process  $s_t$  is either:

- stationary, irreducible, and aperiodic which requires all regimes to have a positive number occurrences over the sample period, or
- sparse with potentially many regimes with zero occurrences over the sample period and in which the number of regimes is estimated.

These model selection also with this respect is made using function `specify_bsvar_msh`.

**Value**

An object of class PosteriorBSVARMESH containing the Bayesian estimation output and containing two elements:

**posterior** a list with a collection of  $S$  draws from the posterior distribution generated via Gibbs sampler containing:

**A** an  $N \times K \times S$  array with the posterior draws for matrix  $A$

**B** an  $N \times N \times S$  array with the posterior draws for matrix  $B$

**hyper** a  $5 \times S$  matrix with the posterior draws for the hyper-parameters of the hierarchical prior distribution

**sigma2** an  $N \times M \times S$  array with the posterior draws for the structural shocks conditional variances

**PR\_TR** an  $M \times M \times S$  array with the posterior draws for the transition matrix.

**xi** an  $M \times T \times S$  array with the posterior draws for the regime allocation matrix.

**pi\_0** an  $M \times S$  matrix with the posterior draws for the initial state probabilities

**sigma** an  $N \times T \times S$  array with the posterior draws for the structural shocks conditional standard deviations' series over the sample period

**last\_draw** an object of class BSVARMESH with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

The model, prior distributions, and estimation algorithms were proposed by

Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs

Some more analysis on heteroskedastic SVAR models was proposed by:

Lütkepohl, H., and Woźniak, T., (2020) Bayesian Inference for Structural Vector Autoregressions Identified by Markov-Switching Heteroskedasticity. *Journal of Economic Dynamics and Control* **113**, 103862, doi:10.1016/j.jedc.2020.103862.

Sampling from the generalised-normal full conditional posterior distribution of matrix  $B$  is implemented using the Gibbs sampler by:

Waggoner, D.F., and Zha, T., (2003) A Gibbs sampler for structural vector autoregressions. *Journal of Economic Dynamics and Control*, **28**, 349–366, doi:10.1016/S01651889(02)001689.

Sampling from the multivariate normal full conditional posterior distribution of each of the  $A$  matrix row is implemented using the sampler by:

Chan, J.C.C., Koop, G., and Yu, X. (2021) Large Order-Invariant Bayesian VARs with Stochastic Volatility.

The estimation of the Markov-switching heteroskedasticity closely follows procedures described by:

Song, Y., and Woźniak, T., (2021) Markov Switching. *Oxford Research Encyclopedia of Economics and Finance*, Oxford University Press, doi:10.1093/acrefore/9780190625979.013.174.

and

Frühwirth-Schnatter, S., (2006) Finite Mixture and Markov Switching Models. Springer Series in Statistics. New York: Springer, doi:10.1007/9780387357683.

The sparse model is inspired by:

Malsiner-Walli, G., Frühwirth-Schnatter, S., and Grün, B. (2016) Model-based clustering based on sparse finite Gaussian mixtures. *Statistics and Computing*, 26(1–2), 303–324, doi:10.1007/s11222-01495002.

The forward-filtering backward-sampling is implemented following the proposal by:

Chib, S. (1996) Calculating posterior distributions and modal estimates in Markov mixture models. *Journal of Econometrics*, 75(1), 79–97, doi:10.1016/03044076(95)017704.

## See Also

[specify\\_bsvar\\_msh](#), [specify\\_posterior\\_bsvar\\_msh](#), [normalise\\_posterior](#)

## Examples

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 1, M = 2)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 50)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_msh$new(p = 1, M = 2) |>
  estimate(S = 10) |>
  estimate(S = 50) |>
  compute_impulse_responses(horizon = 4) -> irf
```

---

 estimate.PosteriorBSVARSV

*Bayesian estimation of a Structural Vector Autoregression with  
Stochastic Volatility heteroskedasticity via Gibbs sampler*

---

## Description

Estimates the SVAR with Stochastic Volatility (SV) heteroskedasticity proposed by Lütkepohl, Shang, Uzeda, and Woźniak (2022). Implements the Gibbs sampler proposed by Waggoner & Zha (2003) for the structural matrix  $B$  and the equation-by-equation sampler by Chan, Koop, & Yu (2021) for the autoregressive slope parameters  $A$ . Additionally, the parameter matrices  $A$  and  $B$  follow a Minnesota prior and generalised-normal prior distributions respectively with the matrix-specific overall shrinkage parameters estimated thanks to a hierarchical prior distribution. The SV model is estimated using a range of techniques including: simulation smoother, auxiliary mixture, ancillarity-sufficiency interweaving strategy, and generalised inverse Gaussian distribution summarised by Kastner & Frühwirth-Schnatter (2014). See section **Details** for the model equations.

## Usage

```
## S3 method for class 'PosteriorBSVARSV'
estimate(specification, S, thin = 10, show_progress = TRUE)
```

## Arguments

specification	an object of class PosteriorBSVARSV generated using the estimate.BSVAR() function. This setup facilitates the continuation of the MCMC sampling starting from the last draw of the previous run.
S	a positive integer, the number of posterior draws to be generated
thin	a positive integer, specifying the frequency of MCMC output thinning
show_progress	a logical value, if TRUE the estimation progress bar is visible

## Details

The heteroskedastic SVAR model is given by the reduced form equation:

$$Y = AX + E$$

where  $Y$  is an  $N \times T$  matrix of dependent variables,  $X$  is a  $K \times T$  matrix of explanatory variables,  $E$  is an  $N \times T$  matrix of reduced form error terms, and  $A$  is an  $N \times K$  matrix of autoregressive slope coefficients and parameters on deterministic terms in  $X$ .

The structural equation is given by

$$BE = U$$

where  $U$  is an  $N \times T$  matrix of structural form error terms, and  $B$  is an  $N \times N$  matrix of contemporaneous relationships. Finally, the structural shocks,  $U$ , are temporally and contemporaneously independent and jointly normally distributed with zero mean.

Two alternative specifications of the conditional variance of the  $n$ th shock at time  $t$  can be estimated: non-centred Stochastic Volatility by Lütkepohl, Shang, Uzeda, and Woźniak (2022) or centred Stochastic Volatility by Chan, Koop, & Yu (2021).

The non-centred Stochastic Volatility by Lütkepohl, Shang, Uzeda, and Woźniak (2022) is selected by setting argument `centred_sv` of function `specify_bsvar_sv$new()` to value `FALSE`. It has the conditional variances given by:

$$\text{Var}_{t-1}[u_{n,t}] = \exp(w_n h_{n,t})$$

where  $w_n$  is the estimated conditional standard deviation of the log-conditional variance and the log-volatility process  $h_{n,t}$  follows an autoregressive process:

$$h_{n,t} = g_n h_{n,t-1} + v_{n,t}$$

where  $h_{n,0} = 0$ ,  $g_n$  is an autoregressive parameter and  $v_{n,t}$  is a standard normal error term.

The centred Stochastic Volatility by Chan, Koop, & Yu (2021) is selected by setting argument `centred_sv` of function `specify_bsvar_sv$new()` to value `TRUE`. Its conditional variances are given by:

$$\text{Var}_{t-1}[u_{n,t}] = \exp(h_{n,t})$$

where the log-conditional variances  $h_{n,t}$  follow an autoregressive process:

$$h_{n,t} = g_n h_{n,t-1} + v_{n,t}$$

where  $h_{n,0} = 0$ ,  $g_n$  is an autoregressive parameter and  $v_{n,t}$  is a zero-mean normal error term with variance  $s_{v,n}^2$ .

## Value

An object of class `PosteriorBSVARSV` containing the Bayesian estimation output and containing two elements:

`posterior` a list with a collection of  $S$  draws from the posterior distribution generated via Gibbs sampler containing:

**A** an  $N \times K \times S$  array with the posterior draws for matrix  $A$

**B** an  $N \times N \times S$  array with the posterior draws for matrix  $B$

**hyper** a  $5 \times S$  matrix with the posterior draws for the hyper-parameters of the hierarchical prior distribution

**h** an  $N \times T \times S$  array with the posterior draws of the log-volatility processes

**rho** an  $N \times S$  matrix with the posterior draws of SV autoregressive parameters

**omega** an  $N \times S$  matrix with the posterior draws of SV process conditional standard deviations

**S** an  $N \times T \times S$  array with the posterior draws of the auxiliary mixture component indicators

**sigma2\_omega** an  $N \times S$  matrix with the posterior draws of the variances of the zero-mean normal prior for  $\omega$

**s\_** an  $S$ -vector with the posterior draws of the scale of the gamma prior of the hierarchical prior for `sigma2_omega`

`last_draw` an object of class `BSVARSV` with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

The model, prior distributions, and estimation algorithms were proposed by

Lütkepohl, H., Shang, F., Uzeda, L., and Woźniak, T. (2022) Partial Identification of Heteroskedastic Structural VARs: Theory and Bayesian Inference.

Sampling from the generalised-normal full conditional posterior distribution of matrix  $B$  is implemented using the Gibbs sampler by:

Waggoner, D.F., and Zha, T., (2003) A Gibbs sampler for structural vector autoregressions. *Journal of Economic Dynamics and Control*, **28**, 349–366, doi:10.1016/S01651889(02)001689.

Sampling from the multivariate normal full conditional posterior distribution of each of the  $A$  matrix row is implemented using the sampler by:

Chan, J.C.C., Koop, G, and Yu, X. (2021) Large Order-Invariant Bayesian VARs with Stochastic Volatility.

Many of the techniques employed for the estimation of the Stochastic Volatility model are summarised by:

Kastner, G. and Frühwirth-Schnatter, S. (2014) Ancillarity-Sufficiency Interweaving Strategy (ASIS) for Boosting MCMC Estimation of Stochastic Volatility Models. *Computational Statistics & Data Analysis*, **76**, 408–423, doi:10.1016/j.csda.2013.01.002.

**See Also**

[specify\\_bsvr\\_sv](#), [specify\\_posterior\\_bsvr\\_sv](#), [normalise\\_posterior](#)

**Examples**

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvr_sv$new(us_fiscal_lsuw, p = 1)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 20)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvr_sv$new(p = 1) |>
```

```
estimate(S = 10) |>
estimate(S = 10, thin = 2) |>
compute_impulse_responses(horizon = 4) -> irf
```

---

forecast

*Forecasting using Structural Vector Autoregression*


---

### Description

Samples from the joint predictive density of all of the dependent variables at forecast horizons from 1 to horizon specified as an argument of the function.

### Usage

```
forecast(posterior, horizon, exogenous_forecast)
```

### Arguments

**posterior** posterior estimation outcome - an object of either of the classes: PosteriorB-SVAR, PosteriorBSVARMISH, PosteriorBSVARMIX, or PosteriorBSVARSV obtained by running the `estimate` function.

**horizon** a positive integer, specifying the forecasting horizon.

**exogenous\_forecast** a matrix of dimension  $\text{horizon} \times d$  containing forecasted values of the exogenous variables.

### Value

A list of class `Forecasts` containing the draws from the predictive density and for heteroskedastic models the draws from the predictive density of structural shocks conditional standard deviations. The output elements include:

**forecasts** an  $N \times T \times S$  array with the draws from predictive density

**forecasts\_sigma** provided only for heteroskedastic models, an  $N \times T \times S$  array with the draws from the predictive density of structural shocks conditional standard deviations

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>



**Examples**

```

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar$new(us_fiscal_lsuw, p = 1)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 20)

# sample from predictive density 1 year ahead
predictive   = forecast(posterior, 4)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 10) |>
  estimate(S = 20) |>
  forecast(horizon = 4) -> predictive

```

---

forecast.PosteriorBSVAR

*Forecasting using Structural Vector Autoregression*


---

**Description**

Samples from the joint predictive density of all of the dependent variables at forecast horizons from 1 to horizon specified as an argument of the function.

**Usage**

```

## S3 method for class 'PosteriorBSVAR'
forecast(posterior, horizon, exogenous_forecast = NULL)

```

**Arguments**

posterior	posterior estimation outcome - an object of class PosteriorBSVAR obtained by running the estimate function.
horizon	a positive integer, specifying the forecasting horizon.
exogenous_forecast	a matrix of dimension horizon x d containing forecasted values of the exogenous variables.

**Value**

A list of class Forecasts containing the draws from the predictive density. The output list includes element:

**forecasts** an  $N \times T \times S$  array with the draws from predictive density

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**Examples**

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar$new(us_fiscal_lsuw, p = 1)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 20)

# sample from predictive density 1 year ahead
predictive   = forecast(posterior, 4)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 10) |>
  estimate(S = 20) |>
  forecast(horizon = 4) -> predictive
```

---

forecast.PosteriorBSVARMIX

*Forecasting using Structural Vector Autoregression*

---

**Description**

Samples from the joint predictive density of all of the dependent variables at forecast horizons from 1 to horizon specified as an argument of the function.

**Usage**

```
## S3 method for class 'PosteriorBSVARMIX'
forecast(posterior, horizon, exogenous_forecast = NULL)
```

**Arguments**

**posterior** posterior estimation outcome - an object of class PosteriorBSVARMIX obtained by running the estimate function.

**horizon** a positive integer, specifying the forecasting horizon.

**exogenous\_forecast** a matrix of dimension horizon x d containing forecasted values of the exogenous variables.

**Value**

A list of class Forecasts containing the draws from the predictive density and for heteroskedastic models the draws from the predictive density of structural shocks conditional standard deviations. The output elements include:

**forecasts** an NxTxS array with the draws from predictive density

**forecasts\_sigma** provided only for heteroskedastic models, an NxTxS array with the draws from the predictive density of structural shocks conditional standard deviations

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**Examples**

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 1, M = 2)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 20)

# sample from predictive density 1 year ahead
predictive   = forecast(posterior, 4)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_mix$new(p = 1, M = 2) |>
```

```
estimate(S = 10) |>
estimate(S = 20) |>
forecast(horizon = 4) -> predictive
```

---

```
forecast.PosteriorBSVARMSH
```

*Forecasting using Structural Vector Autoregression*

---

### Description

Samples from the joint predictive density of all of the dependent variables at forecast horizons from 1 to horizon specified as an argument of the function.

### Usage

```
## S3 method for class 'PosteriorBSVARMSH'
forecast(posterior, horizon, exogenous_forecast = NULL)
```

### Arguments

**posterior** posterior estimation outcome - an object of class PosteriorBSVARMSH obtained by running the estimate function.

**horizon** a positive integer, specifying the forecasting horizon.

**exogenous\_forecast** a matrix of dimension horizon x d containing forecasted values of the exogenous variables.

### Value

A list of class Forecasts containing the draws from the predictive density and for heteroskedastic models the draws from the predictive density of structural shocks conditional standard deviations. The output elements include:

**forecasts** an  $N \times T \times S$  array with the draws from predictive density

**forecasts\_sigma** provided only for heteroskedastic models, an  $N \times T \times S$  array with the draws from the predictive density of structural shocks conditional standard deviations

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

**Examples**

```

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 1, M = 2)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 20)

# sample from predictive density 1 year ahead
predictive   = forecast(posterior, 4)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_msh$new(p = 1, M = 2) |>
  estimate(S = 10) |>
  estimate(S = 20) |>
  forecast(horizon = 4) -> predictive

```

---

forecast.PosteriorBSVARSV

*Forecasting using Structural Vector Autoregression*


---

**Description**

Samples from the joint predictive density of all of the dependent variables at forecast horizons from 1 to horizon specified as an argument of the function.

**Usage**

```

## S3 method for class 'PosteriorBSVARSV'
forecast(posterior, horizon, exogenous_forecast = NULL)

```

**Arguments**

posterior	posterior estimation outcome - an object of class PosteriorBSVARSV obtained by running the estimate function.
horizon	a positive integer, specifying the forecasting horizon.
exogenous_forecast	a matrix of dimension horizon x d containing forecasted values of the exogenous variables.

**Value**

A list of class `Forecasts` containing the draws from the predictive density and for heteroskedastic models the draws from the predictive density of structural shocks conditional standard deviations. The output elements include:

**forecasts** an  $N \times T \times S$  array with the draws from predictive density

**forecasts\_sigma** provided only for heteroskedastic models, an  $N \times T \times S$  array with the draws from the predictive density of structural shocks conditional standard deviations

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**Examples**

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
set.seed(123)
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 1)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 10, thin = 2)

# sample from predictive density 1 year ahead
predictive   = forecast(posterior, 4)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_sv$new(p = 1) |>
  estimate(S = 10) |>
  estimate(S = 10, thin = 2) |>
  forecast(horizon = 4) -> predictive
```

**Description**

Normalises the sign of rows of matrix  $B$  MCMC draws, provided as the first argument `posterior_B`, relative to matrix `B_hat`, provided as the second argument of the function. The implemented procedure proposed by Waggoner, Zha (2003) normalises the MCMC output in an optimal way leading to the unimodal posterior. Only normalised MCMC output is suitable for the computations of the posterior characteristics of the  $B$  matrix elements and their functions such as the impulse response functions and other economically interpretable values.

**Usage**

```
normalise_posterior(posterior, B_hat)
```

**Arguments**

<code>posterior</code>	posterior estimation outcome - an object of either of classes: <code>PosteriorBSVAR</code> , <code>PosteriorBSVARMSH</code> , <code>PosteriorBSVARMIX</code> , or <code>PosteriorBSVARSV</code> containing, amongst other draws, the $S$ draws from the posterior distribution of the $N \times N$ matrix of contemporaneous relationships $B$ . These draws are to be normalised with respect to:
<code>B_hat</code>	an $N \times N$ matrix specified by the user to have the desired row signs

**Value**

Nothing. The normalised elements overwrite the corresponding elements of the first argument `posterior_B` by reference.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Waggoner, D.F., and Zha, T., (2003) Likelihood Preserving Normalization in Multiple Equation Models. *Journal of Econometrics*, **114**(2), 329–47, doi:[10.1016/S03044076\(03\)000873](https://doi.org/10.1016/S03044076(03)000873).

**See Also**

[estimate](#)

**Examples**

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 4)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 10)
```

```

# estimate the model
posterior      = estimate(burn_in, 10, thin = 1)

# normalise the posterior
BB             = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat         = diag((-1) * sign(diag(BB))) %*% BB          # set negative diagonal elements
normalise_posterior(posterior, B_hat)                       # draws in posterior are normalised

```

---

specify_bsvar	<i>R6 Class representing the specification of the homoskedastic BSVAR model</i>
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---

## Description

The class BSVAR presents complete specification for the homoskedastic bsvar model.

## Public fields

`p` a non-negative integer specifying the autoregressive lag order of the model.  
`identification` an object `IdentificationBSVAR` with the identifying restrictions.  
`prior` an object `PriorBSVAR` with the prior specification.  
`data_matrices` an object `DataMatricesBSVAR` with the data matrices.  
`starting_values` an object `StartingValuesBSVAR` with the starting values.

## Methods

### Public methods:

- `specify_bsvar$new()`
- `specify_bsvar$get_data_matrices()`
- `specify_bsvar$get_identification()`
- `specify_bsvar$get_prior()`
- `specify_bsvar$get_starting_values()`
- `specify_bsvar$clone()`

**Method** `new()`: Create a new specification of the homoskedastic bsvar model BSVAR.

*Usage:*

```

specify_bsvar$new(
  data,
  p = 1L,
  B,
  exogenous = NULL,
  stationary = rep(FALSE, ncol(data))
)

```



*Arguments:*

*data* a  $(T+p) \times N$  matrix with time series data.

*p* a positive integer providing model's autoregressive lag order.

*B* a logical  $N \times N$  matrix containing value TRUE for the elements of the structural matrix  $B$  to be estimated and value FALSE for exclusion restrictions to be set to zero.

*exogenous* a  $(T+p) \times d$  matrix of exogenous variables.

*stationary* an  $N$  logical vector - its element set to FALSE sets the prior mean for the autoregressive parameters of the  $N$ th equation to the white noise process, otherwise to random walk.

*Returns:* A new complete specification for the homoskedastic bsvar model BSVAR.

**Method** `get_data_matrices()`: Returns the data matrices as the DataMatricesBSVAR object.

*Usage:*

```
specify_bsvar$get_data_matrices()
```

*Examples:*

```
data(us_fiscal_lsuv)
spec = specify_bsvar$new(
  data = us_fiscal_lsuv,
  p = 4
)
spec$get_data_matrices()
```

**Method** `get_identification()`: Returns the identifying restrictions as the IdentificationBSVARs object.

*Usage:*

```
specify_bsvar$get_identification()
```

*Examples:*

```
data(us_fiscal_lsuv)
spec = specify_bsvar$new(
  data = us_fiscal_lsuv,
  p = 4
)
spec$get_identification()
```

**Method** `get_prior()`: Returns the prior specification as the PriorBSVAR object.

*Usage:*

```
specify_bsvar$get_prior()
```

*Examples:*

```
data(us_fiscal_lsuv)
spec = specify_bsvar$new(
  data = us_fiscal_lsuv,
  p = 4
)
spec$get_prior()
```

**Method** `get_starting_values()`: Returns the starting values as the StartingValuesBSVAR object.

*Usage:*

```
specify_bsvar$get_starting_values()
```

*Examples:*

```
data(us_fiscal_lsuw)
spec = specify_bsvar$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_starting_values()
```

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_bsvar$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

## See Also

[estimate](#), [specify\\_posterior\\_bsvar](#)

## Examples

```
data(us_fiscal_lsuw)
spec = specify_bsvar$new(
  data = us_fiscal_lsuw,
  p = 4
)

## -----
## Method `specify_bsvar$get_data_matrices`
## -----

data(us_fiscal_lsuw)
spec = specify_bsvar$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_data_matrices()

## -----
## Method `specify_bsvar$get_identification`
## -----

data(us_fiscal_lsuw)
```

```

spec = specify_bsvar$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_identification()

## -----
## Method `specify_bsvar$get_prior`
## -----

data(us_fiscal_lsuw)
spec = specify_bsvar$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_prior()

## -----
## Method `specify_bsvar$get_starting_values`
## -----

data(us_fiscal_lsuw)
spec = specify_bsvar$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_starting_values()

```

---

specify_bsvar_mix	<i>R6 Class representing the specification of the BSVAR model with a zero-mean mixture of normals model for structural shocks.</i>
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---

### Description

The class BSVARMIX presents complete specification for the BSVAR model with a zero-mean mixture of normals model for structural shocks.

### Super class

bsvars: :BSVARMISH -> BSVARMIX

### Public fields

p a non-negative integer specifying the autoregressive lag order of the model.  
 identification an object IdentificationBSVARs with the identifying restrictions.  
 prior an object PriorBSVARMIX with the prior specification.

`data_matrices` an object `DataMatricesBSVAR` with the data matrices.

`starting_values` an object `StartingValuesBSVARMIX` with the starting values.

`finiteM` a logical value - if true a finite mixture model is estimated. Otherwise, a sparse mixture model is estimated in which  $M=20$  and the number of visited states is estimated.

## Methods

### Public methods:

- `specify_bsvar_mix$new()`
- `specify_bsvar_mix$clone()`

**Method** `new()`: Create a new specification of the BSVAR model with a zero-mean mixture of normals model for structural shocks, BSVARMIX.

*Usage:*

```
specify_bsvar_mix$new(
  data,
  p = 1L,
  M,
  B,
  exogenous = NULL,
  stationary = rep(FALSE, ncol(data)),
  finiteM = TRUE
)
```

*Arguments:*

`data` a  $(T+p) \times N$  matrix with time series data.

`p` a positive integer providing model's autoregressive lag order.

`M` an integer greater than 1 - the number of components of the mixture of normals.

`B` a logical  $N \times N$  matrix containing value TRUE for the elements of the structural matrix  $B$  to be estimated and value FALSE for exclusion restrictions to be set to zero.

`exogenous` a  $(T+p) \times d$  matrix of exogenous variables.

`stationary` an  $N$  logical vector - its element set to FALSE sets the prior mean for the autoregressive parameters of the  $N$ th equation to the white noise process, otherwise to random walk.

`finiteM` a logical value - if true a finite mixture model is estimated. Otherwise, a sparse mixture model is estimated in which  $M=20$  and the number of visited states is estimated.

*Returns:* A new complete specification for the bsvar model with a zero-mean mixture of normals model for structural shocks, BSVARMIX.

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_bsvar_mix$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

**See Also**

[estimate](#), [specify\\_posterior\\_bsvar\\_mix](#)

**Examples**

```
data(us_fiscal_lsuw)
spec = specify_bsvar_mix$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)
```

---

specify_bsvar_msh	<i>R6 Class representing the specification of the BSVAR model with Markov Switching Heteroskedasticity.</i>
-------------------	---

---

**Description**

The class BSVARMSH presents complete specification for the BSVAR model with Markov Switching Heteroskedasticity.

**Public fields**

`p` a non-negative integer specifying the autoregressive lag order of the model.

`identification` an object `IdentificationBSVARs` with the identifying restrictions.

`prior` an object `PriorBSVARMSH` with the prior specification.

`data_matrices` an object `DataMatricesBSVAR` with the data matrices.

`starting_values` an object `StartingValuesBSVARMSH` with the starting values.

`finiteM` a logical value - if true a stationary Markov switching model is estimated. Otherwise, a sparse Markov switching model is estimated in which  $M=20$  and the number of visited states is estimated.

**Methods****Public methods:**

- [specify\\_bsvar\\_msh\\$new\(\)](#)
- [specify\\_bsvar\\_msh\\$get\\_data\\_matrices\(\)](#)
- [specify\\_bsvar\\_msh\\$get\\_identification\(\)](#)
- [specify\\_bsvar\\_msh\\$get\\_prior\(\)](#)
- [specify\\_bsvar\\_msh\\$get\\_starting\\_values\(\)](#)
- [specify\\_bsvar\\_msh\\$clone\(\)](#)

**Method** `new()`: Create a new specification of the BSVAR model with Markov Switching Heteroskedasticity, BSVARMSH.

*Usage:*

```
specify_bsvar_msh$new(
  data,
  p = 1L,
  M,
  B,
  exogenous = NULL,
  stationary = rep(FALSE, ncol(data)),
  finiteM = TRUE
)
```

*Arguments:*

*data* a  $(T+p) \times N$  matrix with time series data.

*p* a positive integer providing model's autoregressive lag order.

*M* an integer greater than 1 - the number of Markov process' heteroskedastic regimes.

*B* a logical  $N \times N$  matrix containing value TRUE for the elements of the structural matrix *B* to be estimated and value FALSE for exclusion restrictions to be set to zero.

*exogenous* a  $(T+p) \times d$  matrix of exogenous variables.

*stationary* an  $N$  logical vector - its element set to FALSE sets the prior mean for the autoregressive parameters of the *N*th equation to the white noise process, otherwise to random walk.

*finiteM* a logical value - if true a stationary Markov switching model is estimated. Otherwise, a sparse Markov switching model is estimated in which  $M=20$  and the number of visited states is estimated.

*Returns:* A new complete specification for the bsvar model with Markov Switching Heteroskedasticity, BSVARMSH.

**Method** `get_data_matrices()`: Returns the data matrices as the DataMatricesBSVAR object.

*Usage:*

```
specify_bsvar_msh$get_data_matrices()
```

*Examples:*

```
data(us_fiscal_lsuw)
spec = specify_bsvar_msh$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)
spec$get_data_matrices()
```

**Method** `get_identification()`: Returns the identifying restrictions as the IdentificationB-SVARs object.

*Usage:*

```
specify_bsvar_msh$get_identification()
```

*Examples:*

```

data(us_fiscal_lsuw)
spec = specify_bsvar_msh$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)
spec$get_identification()

```

**Method** `get_prior()`: Returns the prior specification as the `PriorBSVARMESH` object.

*Usage:*

```
specify_bsvar_msh$get_prior()
```

*Examples:*

```

data(us_fiscal_lsuw)
spec = specify_bsvar_msh$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)
spec$get_prior()

```

**Method** `get_starting_values()`: Returns the starting values as the `StartingValuesBSVARMESH` object.

*Usage:*

```
specify_bsvar_msh$get_starting_values()
```

*Examples:*

```

data(us_fiscal_lsuw)
spec = specify_bsvar_msh$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)
spec$get_starting_values()

```

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_bsvar_msh$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

### See Also

[estimate](#), [specify\\_posterior\\_bsvar\\_msh](#)

**Examples**

```

data(us_fiscal_lsuw)
spec = specify_bsvar_msh$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)

## -----
## Method `specify_bsvar_msh$get_data_matrices`
## -----

data(us_fiscal_lsuw)
spec = specify_bsvar_msh$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)
spec$get_data_matrices()

## -----
## Method `specify_bsvar_msh$get_identification`
## -----

data(us_fiscal_lsuw)
spec = specify_bsvar_msh$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)
spec$get_identification()

## -----
## Method `specify_bsvar_msh$get_prior`
## -----

data(us_fiscal_lsuw)
spec = specify_bsvar_msh$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)
spec$get_prior()

## -----
## Method `specify_bsvar_msh$get_starting_values`
## -----

```



```

data(us_fiscal_lsuw)
spec = specify_bsvar_msh$new(
  data = us_fiscal_lsuw,
  p = 4,
  M = 2
)
spec$get_starting_values()

```

---

specify_bsvar_sv	<i>R6 Class representing the specification of the BSVAR model with Stochastic Volatility heteroskedasticity.</i>
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---

### Description

The class BSVARSV presents complete specification for the BSVAR model with Stochastic Volatility heteroskedasticity.

### Public fields

`p` a non-negative integer specifying the autoregressive lag order of the model.

`identification` an object `IdentificationBSVARs` with the identifying restrictions.

`prior` an object `PriorBSVARSV` with the prior specification.

`data_matrices` an object `DataMatricesBSVAR` with the data matrices.

`starting_values` an object `StartingValuesBSVARSV` with the starting values.

`centred_sv` a logical value - if true a centred parameterisation of the Stochastic Volatility process is estimated. Otherwise, its non-centred parameterisation is estimated. See Lütkepohl, Shang, Uzeda, Woźniak (2022) for more info.

### Methods

#### Public methods:

- `specify_bsvar_sv$new()`
- `specify_bsvar_sv$get_data_matrices()`
- `specify_bsvar_sv$get_identification()`
- `specify_bsvar_sv$get_prior()`
- `specify_bsvar_sv$get_starting_values()`
- `specify_bsvar_sv$clone()`

**Method** `new()`: Create a new specification of the BSVAR model with Stochastic Volatility heteroskedasticity, BSVARSV.

*Usage:*

```
specify_bsvar_sv$new(
  data,
  p = 1L,
  B,
  exogenous = NULL,
  centred_sv = FALSE,
  stationary = rep(FALSE, ncol(data))
)
```

*Arguments:*

*data* a (T+p)×N matrix with time series data.

*p* a positive integer providing model's autoregressive lag order.

*B* a logical NxN matrix containing value TRUE for the elements of the structural matrix *B* to be estimated and value FALSE for exclusion restrictions to be set to zero.

*exogenous* a (T+p)×d matrix of exogenous variables.

*centred\_sv* a logical value. If FALSE a non-centred Stochastic Volatility processes for conditional variances are estimated. Otherwise, a centred process is estimated.

*stationary* an N logical vector - its element set to FALSE sets the prior mean for the autoregressive parameters of the Nth equation to the white noise process, otherwise to random walk.

*Returns:* A new complete specification for the bsvar model with Stochastic Volatility heteroskedasticity, BSVARSV.

**Method** `get_data_matrices()`: Returns the data matrices as the `DataMatricesBSVAR` object.

*Usage:*

```
specify_bsvar_sv$get_data_matrices()
```

*Examples:*

```
data(us_fiscal_lsuw)
spec = specify_bsvar_sv$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_data_matrices()
```

**Method** `get_identification()`: Returns the identifying restrictions as the `IdentificationBSVARs` object.

*Usage:*

```
specify_bsvar_sv$get_identification()
```

*Examples:*

```
data(us_fiscal_lsuw)
spec = specify_bsvar_sv$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_identification()
```

**Method** `get_prior()`: Returns the prior specification as the `PriorBSVARSV` object.

*Usage:*

```
specify_bsvar_sv$get_prior()
```

*Examples:*

```
data(us_fiscal_lsuw)
spec = specify_bsvar_sv$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_prior()
```

**Method** `get_starting_values()`: Returns the starting values as the `StartingValuesBSVARSV` object.

*Usage:*

```
specify_bsvar_sv$get_starting_values()
```

*Examples:*

```
data(us_fiscal_lsuw)
spec = specify_bsvar_sv$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_starting_values()
```

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_bsvar_sv$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

## See Also

[estimate](#), [specify\\_posterior\\_bsvar\\_sv](#)

## Examples

```
data(us_fiscal_lsuw)
spec = specify_bsvar_sv$new(
  data = us_fiscal_lsuw,
  p = 4
)

## -----
## Method `specify_bsvar_sv$get_data_matrices`
## -----
```

```

data(us_fiscal_lsuw)
spec = specify_bsvar_sv$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_data_matrices()

## -----
## Method `specify_bsvar_sv$get_identification`
## -----

data(us_fiscal_lsuw)
spec = specify_bsvar_sv$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_identification()

## -----
## Method `specify_bsvar_sv$get_prior`
## -----

data(us_fiscal_lsuw)
spec = specify_bsvar_sv$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_prior()

## -----
## Method `specify_bsvar_sv$get_starting_values`
## -----

data(us_fiscal_lsuw)
spec = specify_bsvar_sv$new(
  data = us_fiscal_lsuw,
  p = 4
)
spec$get_starting_values()

```

**Description**

The class `DataMatricesBSVAR` presents the data matrices of dependent variables,  $Y$ , and regressors,  $X$ , for the homoskedastic bsvar model.

**Public fields**

$Y$  an  $N \times T$  matrix of dependent variables,  $Y$ .

$X$  an  $K \times T$  matrix of regressors,  $X$ .

**Methods****Public methods:**

- `specify_data_matrices$new()`
- `specify_data_matrices$get_data_matrices()`
- `specify_data_matrices$clone()`

**Method** `new()`: Create new data matrices `DataMatricesBSVAR`.

*Usage:*

```
specify_data_matrices$new(data, p = 1L, exogenous = NULL)
```

*Arguments:*

`data` a  $(T+p) \times N$  matrix with time series data.

`p` a positive integer providing model's autoregressive lag order.

`exogenous` a  $(T+p) \times d$  matrix of exogenous variables. This matrix should not include a constant term.

*Returns:* New data matrices `DataMatricesBSVAR`.

**Method** `get_data_matrices()`: Returns the data matrices `DataMatricesBSVAR` as a list.

*Usage:*

```
specify_data_matrices$get_data_matrices()
```

*Examples:*

```
data(us_fiscal_lsuw)
```

```
YX = specify_data_matrices$new(data = us_fiscal_lsuw, p = 4)
```

```
YX$get_data_matrices()
```

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_data_matrices$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

**Examples**

```

data(us_fiscal_lsuw)
YX = specify_data_matrices$new(data = us_fiscal_lsuw, p = 4)
dim(YX$Y); dim(YX$X)

## -----
## Method `specify_data_matrices$get_data_matrices`
## -----

data(us_fiscal_lsuw)
YX = specify_data_matrices$new(data = us_fiscal_lsuw, p = 4)
YX$get_data_matrices()

```

---

specify\_identification\_bsvars

*R6 Class Representing IdentificationBSVARs*


---

**Description**

The class IdentificationBSVARs presents the identifying restrictions for the bsvar models.

**Public fields**

VB a list of N matrices determining the unrestricted elements of matrix  $B$ .

**Methods****Public methods:**

- `specify_identification_bsvars$new()`
- `specify_identification_bsvars$get_identification()`
- `specify_identification_bsvars$set_identification()`
- `specify_identification_bsvars$clone()`

**Method** `new()`: Create new identifying restrictions IdentificationBSVARs.

*Usage:*

```
specify_identification_bsvars$new(N, B)
```

*Arguments:*

N a positive integer - the number of dependent variables in the model.

B a logical NxN matrix containing value TRUE for the elements of the structural matrix  $B$  to be estimated and value FALSE for exclusion restrictions to be set to zero.

*Returns:* Identifying restrictions IdentificationBSVARs.

**Method** `get_identification()`: Returns the elements of the identification pattern IdentificationBSVARs as a list.

*Usage:*

```
specify_identification_bsvars$get_identification()
```

*Examples:*

```
B = matrix(c(TRUE,TRUE,TRUE,FALSE,FALSE,TRUE,FALSE,TRUE,TRUE), 3, 3); B
spec = specify_identification_bsvars$new(N = 3, B = B)
spec$get_identification()
```

**Method** `set_identification()`: Set new starting values StartingValuesBSVAR.

*Usage:*

```
specify_identification_bsvars$set_identification(N, B)
```

*Arguments:*

`N` a positive integer - the number of dependent variables in the model.

`B` a logical NxN matrix containing value TRUE for the elements of the structural matrix *B* to be estimated and value FALSE for exclusion restrictions to be set to zero.

*Examples:*

```
spec = specify_identification_bsvars$new(N = 3) # specify a model with the default option
B = matrix(c(TRUE,TRUE,TRUE,FALSE,FALSE,TRUE,FALSE,TRUE,TRUE), 3, 3); B
spec$set_identification(N = 3, B = B) # modify an existing specification
spec$get_identification() # check the outcome
```

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_identification_bsvars$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

**Examples**

```
specify_identification_bsvars$new(N = 3) # recursive specification for a 3-variable system
```

```
B = matrix(c(TRUE,TRUE,TRUE,FALSE,FALSE,TRUE,FALSE,TRUE,TRUE), 3, 3); B
specify_identification_bsvars$new(N = 3, B = B) # an alternative identification pattern
```

```
## -----
## Method `specify_identification_bsvars$get_identification`
## -----
```

```
B = matrix(c(TRUE,TRUE,TRUE,FALSE,FALSE,TRUE,FALSE,TRUE,TRUE), 3, 3); B
spec = specify_identification_bsvars$new(N = 3, B = B)
spec$get_identification()
```

```
## -----
## Method `specify_identification_bsvars$set_identification`
## -----
```

```
spec = specify_identification_bsvars$new(N = 3) # specify a model with the default option
B     = matrix(c(TRUE,TRUE,TRUE,FALSE,FALSE,TRUE,FALSE,TRUE,TRUE), 3, 3); B
spec$set_identification(N = 3, B = B) # modify an existing specification
spec$get_identification()           # check the outcome
```

---

specify\_posterior\_bsvar

*R6 Class Representing PosteriorBSVAR*

---

## Description

The class PosteriorBSVAR contains posterior output and the specification including the last MCMC draw for the homoskedastic bsvar model. Note that due to the thinning of the MCMC output the starting value in element `last_draw` might not be equal to the last draw provided in element `posterior`.

## Public fields

`last_draw` an object of class BSVAR with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

`posterior` a list containing Bayesian estimation output collected in elements an  $N \times N \times S$  array B, an  $N \times K \times S$  array A, and a  $5 \times S$  matrix hyper.

## Methods

### Public methods:

- `specify_posterior_bsvar$new()`
- `specify_posterior_bsvar$get_posterior()`
- `specify_posterior_bsvar$get_last_draw()`
- `specify_posterior_bsvar$is_normalised()`
- `specify_posterior_bsvar$set_normalised()`
- `specify_posterior_bsvar$clone()`

**Method** `new()`: Create a new posterior output PosteriorBSVAR.

*Usage:*

```
specify_posterior_bsvar$new(specification_bsvar, posterior_bsvar)
```

*Arguments:*

`specification_bsvar` an object of class BSVAR with the last draw of the current MCMC run as the starting value.

`posterior_bsvar` a list containing Bayesian estimation output collected in elements an  $N \times N \times S$  array B, an  $N \times K \times S$  array A, and a  $5 \times S$  matrix hyper.

*Returns:* A posterior output PosteriorBSVAR.



**Method** `get_posterior()`: Returns a list containing Bayesian estimation output collected in elements an  $N \times N \times S$  array B, an  $N \times K \times S$  array A, and a  $5 \times S$  matrix hyper.

*Usage:*

```
specify_posterior_bsvar$get_posterior()
```

*Examples:*

```
data(us_fiscal_lsuw)
specification = specify_bsvar$new(us_fiscal_lsuw)
set.seed(123)
estimate      = estimate(specification, 50)
estimate$get_posterior()
```

**Method** `get_last_draw()`: Returns an object of class BSVAR with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

*Usage:*

```
specify_posterior_bsvar$get_last_draw()
```

*Examples:*

```
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuw, p = 4)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 10)
```

**Method** `is_normalised()`: Returns TRUE if the posterior has been normalised using `normalise_posterior()` and FALSE otherwise.

*Usage:*

```
specify_posterior_bsvar$is_normalised()
```

*Examples:*

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuw, p = 4)
set.seed(123)

# estimate the model
posterior     = estimate(specification, 10, thin = 1)
```

```

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB          = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat       = diag((-1) * sign(diag(BB))) %% BB          # set negative diagonal elements
normalise_posterior(posterior, B_hat)                   # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()

```

**Method** `set_normalised()`: Sets the private indicator `normalised` to `TRUE`.

*Usage:*

```
specify_posterior_bsvar$set_normalised(value)
```

*Arguments:*

`value` (optional) a logical value to be passed to indicator `normalised`.

*Examples:*

```

# This is an internal function that is run while executing normalise_posterior()
# Observe its working by analysing the workflow:

```

```

# upload data
data(us_fiscal_lsuw)

```

```

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuw, p = 4)
set.seed(123)

```

```

# estimate the model
posterior     = estimate(specification, 10, thin = 1)

```

```

# check normalisation status beforehand
posterior$is_normalised()

```

```

# normalise the posterior
BB          = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat       = diag(sign(diag(BB))) %% BB                # set positive diagonal elements
normalise_posterior(posterior, B_hat)                   # draws in posterior are normalised

```

```

# check normalisation status afterwards
posterior$is_normalised()

```

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_posterior_bsvar$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

**See Also**

[estimate](#), [specify\\_bsvar](#)

**Examples**

```
# This is a function that is used within estimate()
data(us_fiscal_lsuw)
specification = specify_bsvar$new(us_fiscal_lsuw, p = 4)
set.seed(123)
estimate      = estimate(specification, 50)
class(estimate)

## -----
## Method `specify_posterior_bsvar$get_posterior`
## -----

data(us_fiscal_lsuw)
specification = specify_bsvar$new(us_fiscal_lsuw)
set.seed(123)
estimate      = estimate(specification, 50)
estimate$get_posterior()

## -----
## Method `specify_posterior_bsvar$get_last_draw`
## -----

data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuw, p = 4)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 10)

# estimate the model
posterior    = estimate(burn_in, 10)

## -----
## Method `specify_posterior_bsvar$is_normalised`
## -----

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuw, p = 4)
set.seed(123)
```

```

# estimate the model
posterior      = estimate(specification, 10, thin = 1)

# check normalisation status beforehand
posterior$sis_normalised()

# normalise the posterior
BB              = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat          = diag((-1) * sign(diag(BB))) %*% BB          # set negative diagonal elements
normalise_posterior(posterior, B_hat)                        # draws in posterior are normalised

# check normalisation status afterwards
posterior$sis_normalised()

## -----
## Method `specify_posterior_bsvar$set_normalised`
## -----

# This is an internal function that is run while executing normalise_posterior()
# Observe its working by analysing the workflow:

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuw, p = 4)
set.seed(123)

# estimate the model
posterior      = estimate(specification, 10, thin = 1)

# check normalisation status beforehand
posterior$sis_normalised()

# normalise the posterior
BB              = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat          = diag(sign(diag(BB))) %*% BB                 # set positive diagonal elements
normalise_posterior(posterior, B_hat)                        # draws in posterior are normalised

# check normalisation status afterwards
posterior$sis_normalised()

```

---

```
specify_posterior_bsvar_mix
```

*R6 Class Representing PosteriorBSVARMIX*

---

**Description**

The class PosteriorBSVARMIX contains posterior output and the specification including the last MCMC draw for the bsvar model with a zero-mean mixture of normals model for structural shocks. Note that due to the thinning of the MCMC output the starting value in element `last_draw` might not be equal to the last draw provided in element `posterior`.

**Public fields**

`last_draw` an object of class BSVARMIX with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

`posterior` a list containing Bayesian estimation output.

**Methods****Public methods:**

- `specify_posterior_bsvar_mix$new()`
- `specify_posterior_bsvar_mix$get_posterior()`
- `specify_posterior_bsvar_mix$get_last_draw()`
- `specify_posterior_bsvar_mix$is_normalised()`
- `specify_posterior_bsvar_mix$set_normalised()`
- `specify_posterior_bsvar_mix$clone()`

**Method** `new()`: Create a new posterior output PosteriorBSVARMIX.

*Usage:*

```
specify_posterior_bsvar_mix$new(specification_bsvar, posterior_bsvar)
```

*Arguments:*

`specification_bsvar` an object of class BSVARMIX with the last draw of the current MCMC run as the starting value.

`posterior_bsvar` a list containing Bayesian estimation output.

*Returns:* A posterior output PosteriorBSVARMIX.

**Method** `get_posterior()`: Returns a list containing Bayesian estimation output.

*Usage:*

```
specify_posterior_bsvar_mix$get_posterior()
```

*Examples:*

```
data(us_fiscal_lsuw)
specification = specify_bsvar_mix$new(us_fiscal_lsuw, M = 2)
set.seed(123)
estimate      = estimate(specification, 10, thin = 1)
estimate$get_posterior()
```

**Method** `get_last_draw()`: Returns an object of class BSVARMIX with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

*Usage:*

```
specify_posterior_bsvar_mix$get_last_draw()
```

*Examples:*

```
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 4, M = 2)

# run the burn-in
set.seed(123)
burn_in      = estimate(specification, 10, thin = 2)

# estimate the model
posterior    = estimate(burn_in, 10, thin = 2)
```

**Method** `is_normalised()`: Returns TRUE if the posterior has been normalised using `normalise_posterior()` and FALSE otherwise.

*Usage:*

```
specify_posterior_bsvar_mix$is_normalised()
```

*Examples:*

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 4, M = 2)

# estimate the model
set.seed(123)
posterior    = estimate(specification, 10, thin = 1)

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB          = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat      = diag((-1) * sign(diag(BB))) %*% BB          # set negative diagonal elements
normalise_posterior(posterior, B_hat)                    # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()
```

**Method** `set_normalised()`: Sets the private indicator `normalised` to TRUE.

*Usage:*

```
specify_posterior_bsvar_mix$set_normalised(value)
```

*Arguments:*

value (optional) a logical value to be passed to indicator normalised.

*Examples:*

```
# This is an internal function that is run while executing normalise_posterior()
# Observe its working by analysing the workflow:

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 4, M = 2)
set.seed(123)

# estimate the model
posterior     = estimate(specification, 10, thin = 1)

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB            = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat        = diag(sign(diag(BB))) %*% BB                 # set positive diagonal elements
normalise_posterior(posterior, B_hat)                       # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()
```

**Method** clone(): The objects of this class are cloneable with this method.

*Usage:*

```
specify_posterior_bsvar_mix$clone(deep = FALSE)
```

*Arguments:*

deep Whether to make a deep clone.

**See Also**

[estimate](#), [specify\\_bsvar\\_mix](#)

**Examples**

```
# This is a function that is used within estimate()
data(us_fiscal_lsuw)
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 4, M = 2)
set.seed(123)
estimate     = estimate(specification, 10, thin = 1)
class(estimate)
```

```

## -----
## Method `specify_posterior_bsvar_mix$get_posterior`
## -----

data(us_fiscal_lsuw)
specification = specify_bsvar_mix$new(us_fiscal_lsuw, M = 2)
set.seed(123)
estimate      = estimate(specification, 10, thin = 1)
estimate$get_posterior()

## -----
## Method `specify_posterior_bsvar_mix$get_last_draw`
## -----

data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 4, M = 2)

# run the burn-in
set.seed(123)
burn_in      = estimate(specification, 10, thin = 2)

# estimate the model
posterior    = estimate(burn_in, 10, thin = 2)

## -----
## Method `specify_posterior_bsvar_mix$sis_normalised`
## -----

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 4, M = 2)

# estimate the model
set.seed(123)
posterior    = estimate(specification, 10, thin = 1)

# check normalisation status beforehand
posterior$sis_normalised()

# normalise the posterior
BB          = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat      = diag((-1) * sign(diag(BB))) %% BB          # set negative diagonal elements
normalise_posterior(posterior, B_hat)                   # draws in posterior are normalised

# check normalisation status afterwards
posterior$sis_normalised()

```



```

## -----
## Method `specify_posterior_bsvar_mix$set_normalised`
## -----

# This is an internal function that is run while executing normalise_posterior()
# Observe its working by analysing the workflow:

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 4, M = 2)
set.seed(123)

# estimate the model
posterior      = estimate(specification, 10, thin = 1)

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB              = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat          = diag(sign(diag(BB))) %*% BB                 # set positive diagonal elements
normalise_posterior(posterior, B_hat)                         # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()

```

---

```
specify_posterior_bsvar_msh
```

*R6 Class Representing PosteriorBSVARMSH*

---

## Description

The class `PosteriorBSVARMSH` contains posterior output and the specification including the last MCMC draw for the bsvar model with Markov Switching Heteroskedasticity. Note that due to the thinning of the MCMC output the starting value in element `last_draw` might not be equal to the last draw provided in element `posterior`.

## Public fields

`last_draw` an object of class `BSVARMSH` with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

`posterior` a list containing Bayesian estimation output.

## Methods

### Public methods:

- `specify_posterior_bsvar_msh$new()`
- `specify_posterior_bsvar_msh$get_posterior()`
- `specify_posterior_bsvar_msh$get_last_draw()`
- `specify_posterior_bsvar_msh$is_normalised()`
- `specify_posterior_bsvar_msh$set_normalised()`
- `specify_posterior_bsvar_msh$clone()`

**Method** `new()`: Create a new posterior output PosteriorBSVARMESH.

*Usage:*

```
specify_posterior_bsvar_msh$new(specification_bsvar, posterior_bsvar)
```

*Arguments:*

`specification_bsvar` an object of class BSVARMESH with the last draw of the current MCMC run as the starting value.

`posterior_bsvar` a list containing Bayesian estimation output.

*Returns:* A posterior output PosteriorBSVARMESH.

**Method** `get_posterior()`: Returns a list containing Bayesian estimation output.

*Usage:*

```
specify_posterior_bsvar_msh$get_posterior()
```

*Examples:*

```
data(us_fiscal_lsuw)
specification = specify_bsvar_msh$new(us_fiscal_lsuw, M = 2)
set.seed(123)
estimate      = estimate(specification, 10, thin = 1)
estimate$get_posterior()
```

**Method** `get_last_draw()`: Returns an object of class BSVARMESH with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

*Usage:*

```
specify_posterior_bsvar_msh$get_last_draw()
```

*Examples:*

```
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 4, M = 2)

# run the burn-in
set.seed(123)
burn_in      = estimate(specification, 10, thin = 2)
```

```
# estimate the model
posterior      = estimate(burn_in, 10, thin = 2)
```

**Method** `is_normalised()`: Returns TRUE if the posterior has been normalised using `normalise_posterior()` and FALSE otherwise.

*Usage:*

```
specify_posterior_bsvar_msh$is_normalised()
```

*Examples:*

```
# upload data
data(us_fiscal_lsuw)
```

```
# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 4, M = 2)
```

```
# estimate the model
set.seed(123)
posterior      = estimate(specification, 10, thin = 1)
```

```
# check normalisation status beforehand
posterior$is_normalised()
```

```
# normalise the posterior
BB          = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat       = diag((-1) * sign(diag(BB))) %*% BB         # set negative diagonal elements
normalise_posterior(posterior, B_hat)                   # draws in posterior are normalised
```

```
# check normalisation status afterwards
posterior$is_normalised()
```

**Method** `set_normalised()`: Sets the private indicator `normalised` to TRUE.

*Usage:*

```
specify_posterior_bsvar_msh$set_normalised(value)
```

*Arguments:*

`value` (optional) a logical value to be passed to indicator `normalised`.

*Examples:*

```
# This is an internal function that is run while executing normalise_posterior()
# Observe its working by analysing the workflow:
```

```
# upload data
data(us_fiscal_lsuw)
```

```
# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 4, M = 2)
set.seed(123)
```

```

# estimate the model
posterior      = estimate(specification, 10, thin = 1)

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB             = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat         = diag(sign(diag(BB))) %*% BB                 # set positive diagonal elements
normalise_posterior(posterior, B_hat)                       # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()

```

**Method** clone(): The objects of this class are cloneable with this method.

*Usage:*

```
specify_posterior_bsvar_msh$clone(deep = FALSE)
```

*Arguments:*

deep Whether to make a deep clone.

## See Also

[estimate](#), [specify\\_bsvar\\_msh](#)

## Examples

```

# This is a function that is used within estimate()
data(us_fiscal_lsuw)
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 4, M = 2)
set.seed(123)
estimate     = estimate(specification, 10, thin = 1)
class(estimate)

```

```

## -----
## Method `specify_posterior_bsvar_msh$get_posterior`
## -----

```

```

data(us_fiscal_lsuw)
specification = specify_bsvar_msh$new(us_fiscal_lsuw, M = 2)
set.seed(123)
estimate     = estimate(specification, 10, thin = 1)
estimate$get_posterior()

```

```

## -----
## Method `specify_posterior_bsvar_msh$get_last_draw`
## -----

```

```

data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 4, M = 2)

# run the burn-in
set.seed(123)
burn_in      = estimate(specification, 10, thin = 2)

# estimate the model
posterior    = estimate(burn_in, 10, thin = 2)

## -----
## Method `specify_posterior_bsvar_msh$is_normalised`
## -----

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 4, M = 2)

# estimate the model
set.seed(123)
posterior    = estimate(specification, 10, thin = 1)

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB          = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat      = diag((-1) * sign(diag(BB))) %*% BB          # set negative diagonal elements
normalise_posterior(posterior, B_hat)                    # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()

## -----
## Method `specify_posterior_bsvar_msh$set_normalised`
## -----

# This is an internal function that is run while executing normalise_posterior()
# Observe its working by analysing the workflow:

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 4, M = 2)
set.seed(123)

```

```

# estimate the model
posterior      = estimate(specification, 10, thin = 1)

# check normalisation status beforehand
posterior$sis_normalised()

# normalise the posterior
BB              = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat          = diag(sign(diag(BB))) %% BB                  # set positive diagonal elements
normalise_posterior(posterior, B_hat)                        # draws in posterior are normalised

# check normalisation status afterwards
posterior$sis_normalised()

```

---

```
specify_posterior_bsvar_sv
```

*R6 Class Representing PosteriorBSVARSV*

---

## Description

The class `PosteriorBSVARSV` contains posterior output and the specification including the last MCMC draw for the bsvar model with Stochastic Volatility heteroskedasticity. Note that due to the thinning of the MCMC output the starting value in element `last_draw` might not be equal to the last draw provided in element `posterior`.

## Public fields

`last_draw` an object of class `BSVARSV` with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

`posterior` a list containing Bayesian estimation output.

## Methods

### Public methods:

- `specify_posterior_bsvar_sv$new()`
- `specify_posterior_bsvar_sv$get_posterior()`
- `specify_posterior_bsvar_sv$get_last_draw()`
- `specify_posterior_bsvar_sv$sis_normalised()`
- `specify_posterior_bsvar_sv$set_normalised()`
- `specify_posterior_bsvar_sv$clone()`

**Method** `new()`: Create a new posterior output `PosteriorBSVARSV`.

*Usage:*

```
specify_posterior_bsvar_sv$new(specification_bsvar, posterior_bsvar)
```

*Arguments:*

specification\_bsvar an object of class BSVARSV with the last draw of the current MCMC run as the starting value.

posterior\_bsvar a list containing Bayesian estimation output.

*Returns:* A posterior output PosteriorBSVARSV.

**Method** get\_posterior(): Returns a list containing Bayesian estimation.

*Usage:*

```
specify_posterior_bsvar_sv$get_posterior()
```

*Examples:*

```
data(us_fiscal_lsuw)
specification = specify_bsvar_sv$new(us_fiscal_lsuw)
set.seed(123)
estimate      = estimate(specification, 5, thin = 1)
estimate$get_posterior()
```

**Method** get\_last\_draw(): Returns an object of class BSVARSV with the last draw of the current MCMC run as the starting value to be passed to the continuation of the MCMC estimation using estimate().

*Usage:*

```
specify_posterior_bsvar_sv$get_last_draw()
```

*Examples:*

```
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 4)
set.seed(123)

# run the burn-in
burn_in      = estimate(specification, 5, thin = 1)

# estimate the model
posterior    = estimate(burn_in, 5, thin = 1)
```

**Method** is\_normalised(): Returns TRUE if the posterior has been normalised using normalise\_posterior() and FALSE otherwise.

*Usage:*

```
specify_posterior_bsvar_sv$is_normalised()
```

*Examples:*

```
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
```

```

specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 4)

# estimate the model
set.seed(123)
posterior     = estimate(specification, 5, thin = 1)

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB           = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat       = diag((-1) * sign(diag(BB))) %% BB          # set negative diagonal elements
normalise_posterior(posterior, B_hat)                    # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()

```

**Method** `set_normalised()`: Sets the private indicator `normalised` to `TRUE`.

*Usage:*

```
specify_posterior_bsvar_sv$set_normalised(value)
```

*Arguments:*

`value` (optional) a logical value to be passed to indicator `normalised`.

*Examples:*

```

# This is an internal function that is run while executing normalise_posterior()
# Observe its working by analysing the workflow:

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 4)

# estimate the model
set.seed(123)
posterior     = estimate(specification, 5, thin = 1)

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB           = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat       = diag(sign(diag(BB))) %% BB                  # set positive diagonal elements
normalise_posterior(posterior, B_hat)                    # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()

```



**Method** clone(): The objects of this class are cloneable with this method.

*Usage:*

```
specify_posterior_bsvar_sv$clone(deep = FALSE)
```

*Arguments:*

deep Whether to make a deep clone.

## See Also

[estimate](#), [specify\\_bsvar\\_sv](#)

## Examples

```
# This is a function that is used within estimate()
data(us_fiscal_lsuw)
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 4)
set.seed(123)
estimate      = estimate(specification, 5, thin = 1)
class(estimate)
```

```
## -----
## Method `specify_posterior_bsvar_sv$get_posterior`
## -----
```

```
data(us_fiscal_lsuw)
specification = specify_bsvar_sv$new(us_fiscal_lsuw)
set.seed(123)
estimate      = estimate(specification, 5, thin = 1)
estimate$get_posterior()
```

```
## -----
## Method `specify_posterior_bsvar_sv$get_last_draw`
## -----
```

```
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 4)
set.seed(123)
```

```
# run the burn-in
burn_in      = estimate(specification, 5, thin = 1)
```

```
# estimate the model
posterior    = estimate(burn_in, 5, thin = 1)
```

```
## -----
## Method `specify_posterior_bsvar_sv$is_normalised`
## -----
```

```

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 4)

# estimate the model
set.seed(123)
posterior      = estimate(specification, 5, thin = 1)

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB              = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat          = diag((-1) * sign(diag(BB))) %*% BB          # set negative diagonal elements
normalise_posterior(posterior, B_hat)                        # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()

## -----
## Method `specify_posterior_bsvar_sv$set_normalised`
## -----

# This is an internal function that is run while executing normalise_posterior()
# Observe its working by analysing the workflow:

# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 4)

# estimate the model
set.seed(123)
posterior      = estimate(specification, 5, thin = 1)

# check normalisation status beforehand
posterior$is_normalised()

# normalise the posterior
BB              = posterior$last_draw$starting_values$B      # get the last draw of B
B_hat          = diag(sign(diag(BB))) %*% BB                  # set positive diagonal elements
normalise_posterior(posterior, B_hat)                        # draws in posterior are normalised

# check normalisation status afterwards
posterior$is_normalised()

```

---

specify\_prior\_bsvar *R6 Class Representing PriorBSVAR*


---

### Description

The class PriorBSVAR presents a prior specification for the homoskedastic bsvar model.

### Public fields

- A an NxK matrix, the mean of the normal prior distribution for the parameter matrix *A*.
- A\_V\_inv a KxK precision matrix of the normal prior distribution for each of the row of the parameter matrix *A*. This precision matrix is equation invariant.
- B\_V\_inv an NxN precision matrix of the generalised-normal prior distribution for the structural matrix *B*. This precision matrix is equation invariant.
- B\_nu a positive integer greater of equal than N, a shape parameter of the generalised-normal prior distribution for the structural matrix *B*.
- hyper\_nu\_B a positive scalar, the shape parameter of the inverted-gamma 2 prior for the overall shrinkage parameter for matrix *B*.
- hyper\_a\_B a positive scalar, the shape parameter of the gamma prior for the second-level hierarchy for the overall shrinkage parameter for matrix *B*.
- hyper\_s\_BB a positive scalar, the scale parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix *B*.
- hyper\_nu\_BB a positive scalar, the shape parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix *B*.
- hyper\_nu\_A a positive scalar, the shape parameter of the inverted-gamma 2 prior for the overall shrinkage parameter for matrix *A*.
- hyper\_a\_A a positive scalar, the shape parameter of the gamma prior for the second-level hierarchy for the overall shrinkage parameter for matrix *A*.
- hyper\_s\_AA a positive scalar, the scale parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix *A*.
- hyper\_nu\_AA a positive scalar, the shape parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix *A*.

### Methods

#### Public methods:

- [specify\\_prior\\_bsvar\\$new\(\)](#)
- [specify\\_prior\\_bsvar\\$get\\_prior\(\)](#)
- [specify\\_prior\\_bsvar\\$clone\(\)](#)

**Method** `new()`: Create a new prior specification PriorBSVAR.

*Usage:*

```
specify_prior_bsvar$new(N, p, d = 0, stationary = rep(FALSE, N))
```

*Arguments:*

N a positive integer - the number of dependent variables in the model.  
 p a positive integer - the autoregressive lag order of the SVAR model.  
 d a positive integer - the number of exogenous variables in the model.  
 stationary an N logical vector - its element set to FALSE sets the prior mean for the autoregressive parameters of the Nth equation to the white noise process, otherwise to random walk.

*Returns:* A new prior specification PriorBSVAR.

*Examples:*

```
# a prior for 3-variable example with one lag and stationary data
prior = specify_prior_bsvar$new(N = 3, p = 1, stationary = rep(TRUE, 3))
prior$A # show autoregressive prior mean
```

**Method** get\_prior(): Returns the elements of the prior specification PriorBSVAR as a list.

*Usage:*

```
specify_prior_bsvar$get_prior()
```

*Examples:*

```
# a prior for 3-variable example with four lags
prior = specify_prior_bsvar$new(N = 3, p = 4)
prior$get_prior() # show the prior as list
```

**Method** clone(): The objects of this class are cloneable with this method.

*Usage:*

```
specify_prior_bsvar$clone(deep = FALSE)
```

*Arguments:*

deep Whether to make a deep clone.

**Examples**

```
prior = specify_prior_bsvar$new(N = 3, p = 1) # a prior for 3-variable example with one lag
prior$A # show autoregressive prior mean
```

```
## -----
## Method `specify_prior_bsvar$new`
## -----
```

```
# a prior for 3-variable example with one lag and stationary data
prior = specify_prior_bsvar$new(N = 3, p = 1, stationary = rep(TRUE, 3))
prior$A # show autoregressive prior mean
```

```
## -----
## Method `specify_prior_bsvar$get_prior`
## -----
```

```
# a prior for 3-variable example with four lags
prior = specify_prior_bsvar$new(N = 3, p = 4)
prior$get_prior() # show the prior as list
```

---

```
specify_prior_bsvar_mix
```

*R6 Class Representing PriorBSVARMIX*

---

### Description

The class `PriorBSVARMIX` presents a prior specification for the bsvar model with a zero-mean mixture of normals model for structural shocks.

### Super classes

```
bsvars::PriorBSVAR -> bsvars::PriorBSVARMISH -> PriorBSVARMIX
```

### Public fields

`A` an  $N \times K$  matrix, the mean of the normal prior distribution for the parameter matrix  $A$ .

`A_V_inv` a  $K \times K$  precision matrix of the normal prior distribution for each of the row of the parameter matrix  $A$ . This precision matrix is equation invariant.

`B_V_inv` an  $N \times N$  precision matrix of the generalised-normal prior distribution for the structural matrix  $B$ . This precision matrix is equation invariant.

`B_nu` a positive integer greater of equal than  $N$ , a shape parameter of the generalised-normal prior distribution for the structural matrix  $B$ .

`hyper_nu_B` a positive scalar, the shape parameter of the inverted-gamma 2 prior for the overall shrinkage parameter for matrix  $B$ .

`hyper_a_B` a positive scalar, the shape parameter of the gamma prior for the second-level hierarchy for the overall shrinkage parameter for matrix  $B$ .

`hyper_s_BB` a positive scalar, the scale parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix  $B$ .

`hyper_nu_BB` a positive scalar, the shape parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix  $B$ .

`hyper_nu_A` a positive scalar, the shape parameter of the inverted-gamma 2 prior for the overall shrinkage parameter for matrix  $A$ .

`hyper_a_A` a positive scalar, the shape parameter of the gamma prior for the second-level hierarchy for the overall shrinkage parameter for matrix  $A$ .

`hyper_s_AA` a positive scalar, the scale parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix  $A$ .

`hyper_nu_AA` a positive scalar, the shape parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix  $A$ .

sigma\_nu a positive scalar, the shape parameter of the inverted-gamma 2 for mixture component-dependent variances of the structural shocks,  $\sigma_{n.s_t}^2$ .

sigma\_s a positive scalar, the scale parameter of the inverted-gamma 2 for mixture component-dependent variances of the structural shocks,  $\sigma_{n.s_t}^2$ .

PR\_TR an MxM matrix, the matrix of hyper-parameters of the row-specific Dirichlet prior distribution for the state probabilities the Markov process  $s_t$ . Its rows must be identical.

## Methods

### Public methods:

- `specify_prior_bsvar_mix$clone()`

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_prior_bsvar_mix$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

## Examples

```
prior = specify_prior_bsvar_mix$new(N = 3, p = 1, M = 2) # specify the prior
prior$A # show autoregressive prior mean
```

---

```
specify_prior_bsvar_msh
```

*R6 Class Representing PriorBSVARMSH*

---

## Description

The class PriorBSVARMSH presents a prior specification for the bsvar model with Markov Switching Heteroskedasticity.

## Super class

```
bsvars::PriorBSVAR -> PriorBSVARMSH
```

## Public fields

`A` an NxK matrix, the mean of the normal prior distribution for the parameter matrix  $A$ .

`A_V_inv` a KxK precision matrix of the normal prior distribution for each of the row of the parameter matrix  $A$ . This precision matrix is equation invariant.

`B_V_inv` an NxN precision matrix of the generalised-normal prior distribution for the structural matrix  $B$ . This precision matrix is equation invariant.

- B\_nu a positive integer greater of equal than N, a shape parameter of the generalised-normal prior distribution for the structural matrix  $B$ .
- hyper\_nu\_B a positive scalar, the shape parameter of the inverted-gamma 2 prior for the overall shrinkage parameter for matrix  $B$ .
- hyper\_a\_B a positive scalar, the shape parameter of the gamma prior for the second-level hierarchy for the overall shrinkage parameter for matrix  $B$ .
- hyper\_s\_BB a positive scalar, the scale parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix  $B$ .
- hyper\_nu\_BB a positive scalar, the shape parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix  $B$ .
- hyper\_nu\_A a positive scalar, the shape parameter of the inverted-gamma 2 prior for the overall shrinkage parameter for matrix  $A$ .
- hyper\_a\_A a positive scalar, the shape parameter of the gamma prior for the second-level hierarchy for the overall shrinkage parameter for matrix  $A$ .
- hyper\_s\_AA a positive scalar, the scale parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix  $A$ .
- hyper\_nu\_AA a positive scalar, the shape parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix  $A$ .
- sigma\_nu a positive scalar, the shape parameter of the inverted-gamma 2 for MS state-dependent variances of the structural shocks,  $\sigma_{n.s_t}^2$ .
- sigma\_s a positive scalar, the scale parameter of the inverted-gamma 2 for MS state-dependent variances of the structural shocks,  $\sigma_{n.s_t}^2$ .
- PR\_TR an MxM matrix, the matrix of hyper-parameters of the row-specific Dirichlet prior distribution for transition probabilities matrix  $P$  of the Markov process  $s_t$ .

## Methods

### Public methods:

- `specify_prior_bsvar_msh$new()`
- `specify_prior_bsvar_msh$get_prior()`
- `specify_prior_bsvar_msh$clone()`

**Method** `new()`: Create a new prior specification PriorBSVARMSSH.

*Usage:*

```
specify_prior_bsvar_msh$new(N, p, d = 0, M, stationary = rep(FALSE, N))
```

*Arguments:*

N a positive integer - the number of dependent variables in the model.

p a positive integer - the autoregressive lag order of the SVAR model.

d a positive integer - the number of exogenous variables in the model.

M an integer greater than 1 - the number of Markov process' heteroskedastic regimes.

stationary an N logical vector - its element set to FALSE sets the prior mean for the autoregressive parameters of the Nth equation to the white noise process, otherwise to random walk.

*Returns:* A new prior specification PriorBSVARMSH.

**Method** `get_prior()`: Returns the elements of the prior specification PriorBSVARMSH as a list.

*Usage:*

```
specify_prior_bsvar_msh$get_prior()
```

*Examples:*

```
# a prior for 3-variable example with four lags and two regimes
prior = specify_prior_bsvar_msh$new(N = 3, p = 4, M = 2)
prior$get_prior() # show the prior as list
```

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_prior_bsvar_msh$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

## Examples

```
prior = specify_prior_bsvar_msh$new(N = 3, p = 1, M = 2) # specify the prior
prior$A # show autoregressive prior mean
```

```
## -----
## Method `specify_prior_bsvar_msh$get_prior`
## -----
```

```
# a prior for 3-variable example with four lags and two regimes
prior = specify_prior_bsvar_msh$new(N = 3, p = 4, M = 2)
prior$get_prior() # show the prior as list
```

---

```
specify_prior_bsvar_sv
```

*R6 Class Representing PriorBSVARSV*

---

## Description

The class PriorBSVARSV presents a prior specification for the bsvar model with Stochastic Volatility heteroskedasticity.

## Super class

```
bsvars::PriorBSVAR -> PriorBSVARSV
```



**Public fields**

- A* an NxK matrix, the mean of the normal prior distribution for the parameter matrix *A*.
- A\_V\_inv* a KxK precision matrix of the normal prior distribution for each of the row of the parameter matrix *A*. This precision matrix is equation invariant.
- B\_V\_inv* an NxN precision matrix of the generalised-normal prior distribution for the structural matrix *B*. This precision matrix is equation invariant.
- B\_nu* a positive integer greater of equal than N, a shape parameter of the generalised-normal prior distribution for the structural matrix *B*.
- hyper\_nu\_B* a positive scalar, the shape parameter of the inverted-gamma 2 prior for the overall shrinkage parameter for matrix *B*.
- hyper\_a\_B* a positive scalar, the shape parameter of the gamma prior for the second-level hierarchy for the overall shrinkage parameter for matrix *B*.
- hyper\_s\_BB* a positive scalar, the scale parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix *B*.
- hyper\_nu\_BB* a positive scalar, the shape parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix *B*.
- hyper\_nu\_A* a positive scalar, the shape parameter of the inverted-gamma 2 prior for the overall shrinkage parameter for matrix *A*.
- hyper\_a\_A* a positive scalar, the shape parameter of the gamma prior for the second-level hierarchy for the overall shrinkage parameter for matrix *A*.
- hyper\_s\_AA* a positive scalar, the scale parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix *A*.
- hyper\_nu\_AA* a positive scalar, the shape parameter of the inverted-gamma 2 prior for the third-level of hierarchy for overall shrinkage parameter for matrix *A*.
- sv\_a\_* a positive scalar, the shape parameter of the gamma prior in the hierarchical prior for  $\sigma_{\omega}^2$ .
- sv\_s\_* a positive scalar, the scale parameter of the gamma prior in the hierarchical prior for  $\sigma_{\omega}^2$ .

**Methods****Public methods:**

- [specify\\_prior\\_bsvar\\_sv\\$new\(\)](#)
- [specify\\_prior\\_bsvar\\_sv\\$get\\_prior\(\)](#)
- [specify\\_prior\\_bsvar\\_sv\\$clone\(\)](#)

**Method** `new()`: Create a new prior specification `PriorBSVARSV`.

*Usage:*

```
specify_prior_bsvar_sv$new(N, p, d = 0, stationary = rep(FALSE, N))
```

*Arguments:*

*N* a positive integer - the number of dependent variables in the model.

*p* a positive integer - the autoregressive lag order of the SVAR model.

*d* a positive integer - the number of exogenous variables in the model.

stationary an N logical vector - its element set to FALSE sets the prior mean for the autoregressive parameters of the Nth equation to the white noise process, otherwise to random walk.

*Returns:* A new prior specification PriorBSVARSV.

**Method** `get_prior()`: Returns the elements of the prior specification PriorBSVARSV as a list.

*Usage:*

```
specify_prior_bsvar_sv$get_prior()
```

*Examples:*

```
# a prior for 3-variable example with four lags
prior = specify_prior_bsvar_sv$new(N = 3, p = 4)
prior$get_prior() # show the prior as list
```

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_prior_bsvar_sv$clone(deep = FALSE)
```

*Arguments:*

deep Whether to make a deep clone.

## Examples

```
prior = specify_prior_bsvar_sv$new(N = 3, p = 1) # a prior for 3-variable example with one lag
prior$A # show autoregressive prior mean

## -----
## Method `specify_prior_bsvar_sv$get_prior`
## -----

# a prior for 3-variable example with four lags
prior = specify_prior_bsvar_sv$new(N = 3, p = 4)
prior$get_prior() # show the prior as list
```

---

specify\_starting\_values\_bsvar

*R6 Class Representing StartingValuesBSVAR*

---

## Description

The class StartingValuesBSVAR presents starting values for the homoskedastic bsvar model.

**Public fields**

*A* an  $N \times K$  matrix of starting values for the parameter *A*.

*B* an  $N \times N$  matrix of starting values for the parameter *B*.

*hyper* a  $(2*N+1) \times 2$  matrix of starting values for the shrinkage hyper-parameters of the hierarchical prior distribution.

**Methods****Public methods:**

- `specify_starting_values_bsvar$new()`
- `specify_starting_values_bsvar$get_starting_values()`
- `specify_starting_values_bsvar$set_starting_values()`
- `specify_starting_values_bsvar$clone()`

**Method** `new()`: Create new starting values StartingValuesBSVAR.

*Usage:*

```
specify_starting_values_bsvar$new(N, p, d = 0)
```

*Arguments:*

*N* a positive integer - the number of dependent variables in the model.

*p* a positive integer - the autoregressive lag order of the SVAR model.

*d* a positive integer - the number of exogenous variables in the model.

*Returns:* Starting values StartingValuesBSVAR.

*Examples:*

```
# starting values for a homoskedastic bsvar with 4 lags for a 3-variable system
sv = specify_starting_values_bsvar$new(N = 3, p = 4)
```

**Method** `get_starting_values()`: Returns the elements of the starting values StartingValuesBSVAR as a list.

*Usage:*

```
specify_starting_values_bsvar$get_starting_values()
```

*Examples:*

```
# starting values for a homoskedastic bsvar with 1 lag for a 3-variable system
sv = specify_starting_values_bsvar$new(N = 3, p = 1)
sv$get_starting_values() # show starting values as list
```

**Method** `set_starting_values()`: Returns the elements of the starting values StartingValuesBSVAR as a list.

*Usage:*

```
specify_starting_values_bsvar$set_starting_values(last_draw)
```

*Arguments:*

last\_draw a list containing the last draw of elements B - an NxN matrix, A - an NxK matrix, and hyper - a vector of 5 positive real numbers.

*Returns:* An object of class StartingValuesBSVAR including the last draw of the current MCMC as the starting value to be passed to the continuation of the MCMC estimation using estimate().

*Examples:*

```
# starting values for a homoskedastic bsvar with 1 lag for a 3-variable system
sv = specify_starting_values_bsvar$new(N = 3, p = 1)
```

```
# Modify the starting values by:
sv_list = sv$get_starting_values() # getting them as list
sv_list$A <- matrix(rnorm(12), 3, 4) # modifying the entry
sv$set_starting_values(sv_list)    # providing to the class object
```

**Method clone():** The objects of this class are cloneable with this method.

*Usage:*

```
specify_starting_values_bsvar$clone(deep = FALSE)
```

*Arguments:*

deep Whether to make a deep clone.

## Examples

```
# starting values for a homoskedastic bsvar for a 3-variable system
sv = specify_starting_values_bsvar$new(N = 3, p = 1)

## -----
## Method `specify_starting_values_bsvar$new`
## -----

# starting values for a homoskedastic bsvar with 4 lags for a 3-variable system
sv = specify_starting_values_bsvar$new(N = 3, p = 4)

## -----
## Method `specify_starting_values_bsvar$get_starting_values`
## -----

# starting values for a homoskedastic bsvar with 1 lag for a 3-variable system
sv = specify_starting_values_bsvar$new(N = 3, p = 1)
sv$get_starting_values() # show starting values as list

## -----
## Method `specify_starting_values_bsvar$set_starting_values`
## -----

# starting values for a homoskedastic bsvar with 1 lag for a 3-variable system
```

```
sv = specify_starting_values_bsvar$new(N = 3, p = 1)

# Modify the starting values by:
sv_list = sv$get_starting_values() # getting them as list
sv_list$A <- matrix(rnorm(12), 3, 4) # modifying the entry
sv$set_starting_values(sv_list)    # providing to the class object
```

---

specify\_starting\_values\_bsvar\_mix

*R6 Class Representing StartingValuesBSVARMIX*


---

### Description

The class StartingValuesBSVARMIX presents starting values for the bsvar model with a zero-mean mixture of normals model for structural shocks.

### Super classes

```
bsvars::StartingValuesBSVAR -> bsvars::StartingValuesBSVARMISH -> StartingValuesBSVARMIX
```

### Public fields

*A* an  $N \times K$  matrix of starting values for the parameter *A*.

*B* an  $N \times N$  matrix of starting values for the parameter *B*.

*hyper* a  $(2 \times N + 1) \times 2$  matrix of starting values for the shrinkage hyper-parameters of the hierarchical prior distribution.

*sigma2* an  $N \times M$  matrix of starting values for the MS state-specific variances of the structural shocks. Its elements sum to value *M* over the rows.

*PR\_TR* an  $M \times M$  matrix of starting values for the probability matrix of the Markov process. Its rows must be identical and the elements of each row sum to 1 over the rows.

*xi* an  $M \times T$  matrix of starting values for the Markov process indicator. Its columns are a chosen column of an identity matrix of order *M*.

*pi\_0* an *M*-vector of starting values for mixture components state probabilities. Its elements sum to 1.

### Methods

#### Public methods:

- [specify\\_starting\\_values\\_bsvar\\_mix\\$new\(\)](#)
- [specify\\_starting\\_values\\_bsvar\\_mix\\$clone\(\)](#)

**Method** `new()`: Create new starting values StartingValuesBSVARMIX.

*Usage:*

```
specify_starting_values_bsvar_mix$new(N, p, M, T, d = 0, finiteM = TRUE)
```

*Arguments:*

*N* a positive integer - the number of dependent variables in the model.  
*p* a positive integer - the autoregressive lag order of the SVAR model.  
*M* an integer greater than 1 - the number of components of the mixture of normals.  
*T* a positive integer - the the time series dimension of the dependent variable matrix *Y*.  
*d* a positive integer - the number of exogenous variables in the model.  
*finiteM* a logical value - if true a finite mixture model is estimated. Otherwise, a sparse mixture model is estimated in which  $M=20$  and the number of visited states is estimated.

*Returns:* Starting values StartingValuesBSVARMIX.

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_starting_values_bsvvar_mix$clone(deep = FALSE)
```

*Arguments:*

*deep* Whether to make a deep clone.

**Examples**

```
# starting values for a bsvvar model for a 3-variable system
sv = specify_starting_values_bsvvar_mix$new(N = 3, p = 1, M = 2, T = 100)
```

---

```
specify_starting_values_bsvvar_msh
```

*R6 Class Representing StartingValuesBSVARMISH*

---

**Description**

The class StartingValuesBSVARMISH presents starting values for the bsvvar model with Markov Switching Heteroskedasticity.

**Super class**

```
bsvars::StartingValuesBSVAR -> StartingValuesBSVARMISH
```

**Public fields**

*A* an  $N \times K$  matrix of starting values for the parameter *A*.  
*B* an  $N \times N$  matrix of starting values for the parameter *B*.  
*hyper* a  $(2 \times N + 1) \times 2$  matrix of starting values for the shrinkage hyper-parameters of the hierarchical prior distribution.  
*sigma2* an  $N \times M$  matrix of starting values for the MS state-specific variances of the structural shocks. Its elements sum to value *M* over the rows.

PR\_TR an MxM matrix of starting values for the transition probability matrix of the Markov process. Its elements sum to 1 over the rows.

xi an MxT matrix of starting values for the Markov process indicator. Its columns are a chosen column of an identity matrix of order M.

pi\_0 an M-vector of starting values for state probability at time  $t=0$ . Its elements sum to 1.

## Methods

### Public methods:

- `specify_starting_values_bsvvar_msh$new()`
- `specify_starting_values_bsvvar_msh$get_starting_values()`
- `specify_starting_values_bsvvar_msh$set_starting_values()`
- `specify_starting_values_bsvvar_msh$clone()`

**Method** `new()`: Create new starting values StartingValuesBSVAR-MS.

*Usage:*

```
specify_starting_values_bsvvar_msh$new(N, p, M, T, d = 0, finiteM = TRUE)
```

*Arguments:*

N a positive integer - the number of dependent variables in the model.

p a positive integer - the autoregressive lag order of the SVAR model.

M an integer greater than 1 - the number of Markov process' heteroskedastic regimes.

T a positive integer - the the time series dimension of the dependent variable matrix Y.

d a positive integer - the number of exogenous variables in the model.

finiteM a logical value - if true a stationary Markov switching model is estimated. Otherwise, a sparse Markov switching model is estimated in which  $M=20$  and the number of visited states is estimated.

*Returns:* Starting values StartingValuesBSVAR-MS.

**Method** `get_starting_values()`: Returns the elements of the starting values StartingValuesBSVAR-MS as a list.

*Usage:*

```
specify_starting_values_bsvvar_msh$get_starting_values()
```

*Examples:*

```
# starting values for a homoskedastic bsvvar with 1 lag for a 3-variable system
sv = specify_starting_values_bsvvar_msh$new(N = 3, p = 1, M = 2, T = 100)
sv$get_starting_values() # show starting values as list
```

**Method** `set_starting_values()`: Returns the elements of the starting values StartingValuesBSVARMSH as a list.

*Usage:*

```
specify_starting_values_bsvvar_msh$set_starting_values(last_draw)
```

*Arguments:*

last\_draw a list containing the last draw.

*Returns:* An object of class StartingValuesBSVAR-MS including the last draw of the current MCMC as the starting value to be passed to the continuation of the MCMC estimation using estimate().

*Examples:*

```
# starting values for a bsvar model with 1 lag for a 3-variable system
sv = specify_starting_values_bsvar_msh$new(N = 3, p = 1, M = 2, T = 100)

# Modify the starting values by:
sv_list = sv$get_starting_values() # getting them as list
sv_list$A <- matrix(rnorm(12), 3, 4) # modifying the entry
sv$set_starting_values(sv_list)    # providing to the class object
```

**Method** clone(): The objects of this class are cloneable with this method.

*Usage:*

```
specify_starting_values_bsvar_msh$clone(deep = FALSE)
```

*Arguments:*

deep Whether to make a deep clone.

## Examples

```
# starting values for a bsvar model for a 3-variable system
sv = specify_starting_values_bsvar_msh$new(N = 3, p = 1, M = 2, T = 100)

## -----
## Method `specify_starting_values_bsvar_msh$get_starting_values`
## -----

# starting values for a homoskedastic bsvar with 1 lag for a 3-variable system
sv = specify_starting_values_bsvar_msh$new(N = 3, p = 1, M = 2, T = 100)
sv$get_starting_values() # show starting values as list

## -----
## Method `specify_starting_values_bsvar_msh$set_starting_values`
## -----

# starting values for a bsvar model with 1 lag for a 3-variable system
sv = specify_starting_values_bsvar_msh$new(N = 3, p = 1, M = 2, T = 100)

# Modify the starting values by:
sv_list = sv$get_starting_values() # getting them as list
sv_list$A <- matrix(rnorm(12), 3, 4) # modifying the entry
sv$set_starting_values(sv_list)    # providing to the class object
```



---

specify\_starting\_values\_bsvvar\_sv

*R6 Class Representing StartingValuesBSVARSV*


---

### Description

The class StartingValuesBSVARSV presents starting values for the bsvvar model with Stochastic Volatility heteroskedasticity.

### Super class

bsvvars::StartingValuesBSVAR -> StartingValuesBSVARSV

### Public fields

A an NxK matrix of starting values for the parameter  $A$ .

B an NxN matrix of starting values for the parameter  $B$ .

hyper a  $(2*N+1)*2$  matrix of starting values for the shrinkage hyper-parameters of the hierarchical prior distribution.

h an NxT matrix with the starting values of the log-volatility processes.

rho an N-vector with values of SV autoregressive parameters.

omega an N-vector with values of SV process conditional standard deviations.

sigma2v an N-vector with values of SV process conditional variances.

S an NxT integer matrix with the auxiliary mixture component indicators.

sigma2\_omega an N-vector with variances of the zero-mean normal prior for  $\omega_n$ .

s\_ a positive scalar with the scale of the gamma prior of the hierarchical prior for  $\sigma_\omega^2$ .

### Methods

#### Public methods:

- [specify\\_starting\\_values\\_bsvvar\\_sv\\$new\(\)](#)
- [specify\\_starting\\_values\\_bsvvar\\_sv\\$get\\_starting\\_values\(\)](#)
- [specify\\_starting\\_values\\_bsvvar\\_sv\\$set\\_starting\\_values\(\)](#)
- [specify\\_starting\\_values\\_bsvvar\\_sv\\$clone\(\)](#)

**Method** new(): Create new starting values StartingValuesBSVARSV.

*Usage:*

```
specify_starting_values_bsvvar_sv$new(N, p, T, d = 0)
```

*Arguments:*

N a positive integer - the number of dependent variables in the model.

p a positive integer - the autoregressive lag order of the SVAR model.

T a positive integer - the the time series dimension of the dependent variable matrix  $Y$ .

d a positive integer - the number of exogenous variables in the model.

*Returns:* Starting values StartingValuesBSVARSV.

**Method** `get_starting_values()`: Returns the elements of the starting values StartingValuesBSVARSV as a list.

*Usage:*

```
specify_starting_values_bsvar_sv$get_starting_values()
```

*Examples:*

```
# starting values for a bsvar model with 1 lag for a 3-variable system
sv = specify_starting_values_bsvar_sv$new(N = 3, p = 1, T = 100)
sv$get_starting_values() # show starting values as list
```

**Method** `set_starting_values()`: Returns the elements of the starting values StartingValuesBSVAR\_SV as a list.

*Usage:*

```
specify_starting_values_bsvar_sv$set_starting_values(last_draw)
```

*Arguments:*

`last_draw` a list containing the last draw of the current MCMC run.

*Returns:* An object of class StartingValuesBSVAR including the last draw of the current MCMC as the starting value to be passed to the continuation of the MCMC estimation using `estimate()`.

*Examples:*

```
# starting values for a bsvar model with 1 lag for a 3-variable system
sv = specify_starting_values_bsvar_sv$new(N = 3, p = 1, T = 100)

# Modify the starting values by:
sv_list = sv$get_starting_values() # getting them as list
sv_list$A <- matrix(rnorm(12), 3, 4) # modifying the entry
sv$set_starting_values(sv_list)    # providing to the class object
```

**Method** `clone()`: The objects of this class are cloneable with this method.

*Usage:*

```
specify_starting_values_bsvar_sv$clone(deep = FALSE)
```

*Arguments:*

`deep` Whether to make a deep clone.

## Examples

```
# starting values for a bsvar model for a 3-variable system
sv = specify_starting_values_bsvar_sv$new(N = 3, p = 1, T = 100)
```

```
## -----
```

```
## Method `specify_starting_values_bsvr_sv$get_starting_values`
## -----

# starting values for a bsvr model with 1 lag for a 3-variable system
sv = specify_starting_values_bsvr_sv$new(N = 3, p = 1, T = 100)
sv$get_starting_values() # show starting values as list

## -----
## Method `specify_starting_values_bsvr_sv$set_starting_values`
## -----

# starting values for a bsvr model with 1 lag for a 3-variable system
sv = specify_starting_values_bsvr_sv$new(N = 3, p = 1, T = 100)

# Modify the starting values by:
sv_list = sv$get_starting_values() # getting them as list
sv_list$A <- matrix(rnorm(12), 3, 4) # modifying the entry
sv$set_starting_values(sv_list) # providing to the class object
```

us\_fiscal\_ex

*A 3-variable system of exogenous variables for the US fiscal model for the period 1948 Q1 – 2023 Q2*

## Description

Exogenous variables used to identify the US fiscal policy shocks.

## Usage

```
data(us_fiscal_ex)
```

## Format

A matrix and a ts object with time series of 302 observations on 3 variables:

**t** a time trend

**t<sup>2</sup>** a quadratic trend

**1975Q2** a dummy variable taking the value of 1 for quarter 2 1975 and zero elsewhere

The series are as described by Mertens & Ravn (2014). The data was used by Lütkepohl, Shang, Uzeda, Woźniak (2023).

## References

Mertens, K., and Ravn, M.O. (2014) A Reconciliation of SVAR and Narrative Estimates of Tax Multipliers, *Journal of Monetary Economics*, 68(S), S1–S19. DOI: [doi:10.1016/j.jmoneco.2013.04.004](https://doi.org/10.1016/j.jmoneco.2013.04.004).  
 Lütkepohl, H., Shang, F., Uzeda, L., and Woźniak, T. (2023) Partial Identification of Heteroskedastic Structural VARs: Theory and Bayesian Inference.

**Examples**

```
data(us_fiscal_ex) # upload the data
plot(us_fiscal_ex) # plot the data
```

---

us_fiscal_lsuw	<i>A 3-variable US fiscal system for the period 1948 Q1 – 2023 Q2</i>
----------------	---

---

**Description**

A system used to identify the US fiscal policy shocks.

**Usage**

```
data(us_fiscal_lsuw)
```

**Format**

A matrix and a ts object with time series of 302 observations on 3 variables:

**ttr** quarterly US total tax revenue expressed in log, real, per person terms

**gs** quarterly US total government spending expressed in log, real, per person terms

**gdp** quarterly US gross domestic product expressed in log, real, per person terms

The series are as described by Mertens & Ravn (2014) in footnote 3 and main body on page S3 of the paper. Differences with respect to Mertens & Ravn's data :

- The sample period is from quarter 1 of 1948 to quarter 2 of 2023,
- The population variable is not from Francis & Ramey (2009) but from the FRED (with the same definition),
- The original monthly population data is transformed to quarterly by taking monthly averages.

**Source**

U.S. Bureau of Economic Analysis, National Income and Product Accounts, <https://www.bea.gov/products/national-income-and-product-accounts>

FRED Economic Database, Federal Reserve Bank of St. Louis, <https://fred.stlouisfed.org/>

**References**

Francis, N., and Ramey, V.A. (2009) Measures of per capita Hours and Their Implications for the Technology-hours Debate. *Journal of Money, Credit and Banking*, 41(6), 1071-1097, DOI: [doi:10.1111/j.15384616.2009.00247.x](https://doi.org/10.1111/j.15384616.2009.00247.x).

Mertens, K., and Ravn, M.O. (2014) A Reconciliation of SVAR and Narrative Estimates of Tax Multipliers, *Journal of Monetary Economics*, 68(S), S1–S19. DOI: [doi:10.1016/j.jmoneco.2013.04.004](https://doi.org/10.1016/j.jmoneco.2013.04.004).

Lütkepohl, H., Shang, F., Uzeda, L., and Woźniak, T. (2022) Partial Identification of Heteroskedastic Structural VARs: Theory and Bayesian Inference.

**Examples**

```
data(us_fiscal_lsuw) # upload the data
plot(us_fiscal_lsuw) # plot the data
```

---

verify\_autoregression *Verifies hypotheses involving autoregressive parameters*

---

**Description**

Computes the logarithm of Bayes factor for the joint hypothesis,  $H_0$ , possibly for many autoregressive parameters represented by argument `hypothesis` via Savage-Dickey Density Ratio (SDDR). The logarithm of Bayes factor for this hypothesis can be computed using the SDDR as the difference of logarithms of the marginal posterior distribution ordinate at the restriction less the marginal prior distribution ordinate at the same point:

$$\log p(H_0|data) - \log p(H_0)$$

Therefore, a negative value of the difference is the evidence against hypothesis. The estimation of both elements of the difference requires numerical integration.

**Usage**

```
verify_autoregression(posterior, hypothesis)
```

**Arguments**

`posterior` the posterior element of the list from the estimation outcome

`hypothesis` an  $N \times K$  matrix of the same dimension as the autoregressive matrix  $A$  with numeric values for the parameters to be verified, in which case the values represent the joint hypothesis, and missing value NA for these parameters that are not tested

**Value**

An object of class SDDR that is a list of three components:

`logSDDR` a scalar with values of the logarithm of the Bayes factors for the autoregressive hypothesis for each of the shocks

`log_SDDR_se` an N-vector with estimation standard errors of the logarithm of the Bayes factors reported in output element `logSDDR` that are computed based on 30 random sub-samples of the log-ordinates of the marginal posterior and prior distributions.

`components` a list of three components for the computation of the Bayes factor

**log\_denominator** an N-vector with values of the logarithm of the Bayes factor denominators

**log\_numerator** an N-vector with values of the logarithm of the Bayes factor numerators

**log\_numerator\_s** an  $N \times S$  matrix of the log-full conditional posterior density ordinates computed to estimate the numerator

**log\_denominator\_s** an  $N \times S$  matrix of the log-full conditional posterior density ordinates computed to estimate the denominator

**se\_components** a 30-vector containing the log-Bayes factors on the basis of which the standard errors are computed

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

### References

Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs

### Examples

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuw, p = 1)
set.seed(123)

# estimate the model
posterior     = estimate(specification, 10, thin = 1)

# verify autoregression
H0            = matrix(NA, ncol(us_fiscal_lsuw), ncol(us_fiscal_lsuw) + 1)
H0[1,3]      = 0          # a hypothesis of no Granger causality from gdp to ttr
sddr         = verify_autoregression(posterior, H0)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 10, thin = 1) |>
  verify_autoregression(hypothesis = H0) -> sddr
```

---

verify\_autoregression.PosteriorBSVAR

*Verifies hypotheses involving autoregressive parameters*

---

**Description**

Computes the logarithm of Bayes factor for the joint hypothesis,  $H_0$ , possibly for many autoregressive parameters represented by argument `hypothesis` via Savage-Dickey Density Ratio (SDDR). The logarithm of Bayes factor for this hypothesis can be computed using the SDDR as the difference of logarithms of the marginal posterior distribution ordinate at the restriction less the marginal prior distribution ordinate at the same point:

$$\log p(H_0|data) - \log p(H_0)$$

Therefore, a negative value of the difference is the evidence against hypothesis. The estimation of both elements of the difference requires numerical integration.

**Usage**

```
## S3 method for class 'PosteriorBSVAR'
verify_autoregression(posterior, hypothesis)
```

**Arguments**

`posterior` the posterior element of the list from the estimation outcome

`hypothesis` an NxK matrix of the same dimension as the autoregressive matrix  $A$  with numeric values for the parameters to be verified, in which case the values represent the joint hypothesis, and missing value NA for these parameters that are not tested

**Value**

An object of class SDDR that is a list of three components:

`logSDDR` a scalar with values of the logarithm of the Bayes factors for the autoregressive hypothesis for each of the shocks

`log_SDDR_se` an N-vector with estimation standard errors of the logarithm of the Bayes factors reported in output element `logSDDR` that are computed based on 30 random sub-samples of the log-ordinates of the marginal posterior and prior distributions.

`components` a list of three components for the computation of the Bayes factor

**log\_denominator** an N-vector with values of the logarithm of the Bayes factor denominators

**log\_numerator** an N-vector with values of the logarithm of the Bayes factor numerators

**log\_numerator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the numerator

**log\_denominator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the denominator

**se\_components** a 30-vector containing the log-Bayes factors on the basis of which the standard errors are computed

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

## References

Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs

## Examples

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuv)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuv, p = 1)
set.seed(123)

# estimate the model
posterior      = estimate(specification, 10, thin = 1)

# verify autoregression
H0             = matrix(NA, ncol(us_fiscal_lsuv), ncol(us_fiscal_lsuv) + 1)
H0[1,3]        = 0           # a hypothesis of no Granger causality from gdp to ttr
sddr           = verify_autoregression(posterior, H0)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuv |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 10, thin = 1) |>
  verify_autoregression(hypothesis = H0) -> sddr
```

---

verify\_autoregression.PosteriorBSVARMIX

*Verifies hypotheses involving autoregressive parameters*

---

## Description

Computes the logarithm of Bayes factor for the joint hypothesis,  $H_0$ , possibly for many autoregressive parameters represented by argument `hypothesis` via Savage-Dickey Density Ration (SDDR). The logarithm of Bayes factor for this hypothesis can be computed using the SDDR as the difference of logarithms of the marginal posterior distribution ordinate at the restriction less the marginal prior distribution ordinate at the same point:

$$\log p(H_0|data) - \log p(H_0)$$

Therefore, a negative value of the difference is the evidence against hypothesis. The estimation of both elements of the difference requires numerical integration.



**Usage**

```
## S3 method for class 'PosteriorBSVARMIX'
verify_autoregression(posterior, hypothesis)
```

**Arguments**

**posterior** the posterior element of the list from the estimation outcome

**hypothesis** an  $N \times K$  matrix of the same dimension as the autoregressive matrix  $A$  with numeric values for the parameters to be verified, in which case the values represent the joint hypothesis, and missing value NA for these parameters that are not tested

**Value**

An object of class SDDR that is a list of three components:

**logSDDR** a scalar with values of the logarithm of the Bayes factors for the autoregressive hypothesis for each of the shocks

**log\_SDDR\_se** an N-vector with estimation standard errors of the logarithm of the Bayes factors reported in output element logSDDR that are computed based on 30 random sub-samples of the log-ordinates of the marginal posterior and prior distributions.

**components** a list of three components for the computation of the Bayes factor

**log\_denominator** an N-vector with values of the logarithm of the Bayes factor denominators

**log\_numerator** an N-vector with values of the logarithm of the Bayes factor numerators

**log\_numerator\_s** an  $N \times S$  matrix of the log-full conditional posterior density ordinates computed to estimate the numerator

**log\_denominator\_s** an  $N \times S$  matrix of the log-full conditional posterior density ordinates computed to estimate the denominator

**se\_components** a 30-vector containing the log-Bayes factors on the basis of which the standard errors are computed

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs

**Examples**

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
```

```

specification = specify_bsvvar_mix$new(us_fiscal_lsuw, p = 1, M = 2)
set.seed(123)

# estimate the model
posterior     = estimate(specification, 10, thin = 1)

# verify autoregression
H0            = matrix(NA, ncol(us_fiscal_lsuw), ncol(us_fiscal_lsuw) + 1)
H0[1,3]      = 0          # a hypothesis of no Granger causality from gdp to ttr
sddr         = verify_autoregression(posterior, H0)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvvar_mix$new(p = 1, M = 2) |>
  estimate(S = 10, thin = 1) |>
  verify_autoregression(hypothesis = H0) -> sddr

```

---

```
verify_autoregression.PosteriorBSVARMSH
```

*Verifies hypotheses involving autoregressive parameters*

---

## Description

Computes the logarithm of Bayes factor for the joint hypothesis,  $H_0$ , possibly for many autoregressive parameters represented by argument `hypothesis` via Savage-Dickey Density Ratio (SDDR). The logarithm of Bayes factor for this hypothesis can be computed using the SDDR as the difference of logarithms of the marginal posterior distribution ordinate at the restriction less the marginal prior distribution ordinate at the same point:

$$\log p(H_0 | data) - \log p(H_0)$$

Therefore, a negative value of the difference is the evidence against hypothesis. The estimation of both elements of the difference requires numerical integration.

## Usage

```
## S3 method for class 'PosteriorBSVARMSH'
verify_autoregression(posterior, hypothesis)
```

## Arguments

<code>posterior</code>	the posterior element of the list from the estimation outcome
<code>hypothesis</code>	an $N \times K$ matrix of the same dimension as the autoregressive matrix $A$ with numeric values for the parameters to be verified, in which case the values represent the joint hypothesis, and missing value NA for these parameters that are not tested

**Value**

An object of class SDDR that is a list of three components:

`logSDDR` a scalar with values of the logarithm of the Bayes factors for the autoregressive hypothesis for each of the shocks

`log_SDDR_se` an N-vector with estimation standard errors of the logarithm of the Bayes factors reported in output element `logSDDR` that are computed based on 30 random sub-samples of the log-ordinates of the marginal posterior and prior distributions.

`components` a list of three components for the computation of the Bayes factor

**log\_denominator** an N-vector with values of the logarithm of the Bayes factor denominators

**log\_numerator** an N-vector with values of the logarithm of the Bayes factor numerators

**log\_numerator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the numerator

**log\_denominator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the denominator

**se\_components** a 30-vector containing the log-Bayes factors on the basis of which the standard errors are computed

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs

**Examples**

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 1, M = 2)
set.seed(123)

# estimate the model
posterior     = estimate(specification, 10, thin = 1)

# verify autoregression
H0            = matrix(NA, ncol(us_fiscal_lsuw), ncol(us_fiscal_lsuw) + 1)
H0[1,3]      = 0          # a hypothesis of no Granger causality from gdp to ttr
sddr         = verify_autoregression(posterior, H0)

# workflow with the pipe |>
#####
```

```

set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_msh$new(p = 1, M = 2) |>
  estimate(S = 10, thin = 1) |>
  verify_autoregression(hypothesis = H0) -> sddr

```

---

```
verify_autoregression.PosteriorBSVARSV
```

*Verifies hypotheses involving autoregressive parameters*

---

### Description

Computes the logarithm of Bayes factor for the joint hypothesis,  $H_0$ , possibly for many autoregressive parameters represented by argument `hypothesis` via Savage-Dickey Density Ratio (SDDR). The logarithm of Bayes factor for this hypothesis can be computed using the SDDR as the difference of logarithms of the marginal posterior distribution ordinate at the restriction less the marginal prior distribution ordinate at the same point:

$$\log p(H_0|data) - \log p(H_0)$$

Therefore, a negative value of the difference is the evidence against hypothesis. The estimation of both elements of the difference requires numerical integration.

### Usage

```

## S3 method for class 'PosteriorBSVARSV'
verify_autoregression(posterior, hypothesis)

```

### Arguments

<code>posterior</code>	the posterior element of the list from the estimation outcome
<code>hypothesis</code>	an $N \times K$ matrix of the same dimension as the autoregressive matrix $A$ with numeric values for the parameters to be verified, in which case the values represent the joint hypothesis, and missing value NA for these parameters that are not tested

### Value

An object of class SDDR that is a list of three components:

`logSDDR` a scalar with values of the logarithm of the Bayes factors for the autoregressive hypothesis for each of the shocks

`log_SDDR_se` an N-vector with estimation standard errors of the logarithm of the Bayes factors reported in output element `logSDDR` that are computed based on 30 random sub-samples of the log-ordinates of the marginal posterior and prior distributions.

`components` a list of three components for the computation of the Bayes factor

**log\_denominator** an N-vector with values of the logarithm of the Bayes factor denominators

- log\_numerator** an N-vector with values of the logarithm of the Bayes factor numerators
- log\_numerator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the numerator
- log\_denominator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the denominator
- se\_components** a 30-vector containing the log-Bayes factors on the basis of which the standard errors are computed

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

### References

Woźniak, T., and Droumaguet, M., (2022) Bayesian Assessment of Identifying Restrictions for Heteroskedastic Structural VARs

### Examples

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuv)

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuv, p = 1)
set.seed(123)

# estimate the model
posterior      = estimate(specification, 10, thin = 1)

# verify autoregression
H0              = matrix(NA, ncol(us_fiscal_lsuv), ncol(us_fiscal_lsuv) + 1)
H0[1,3]         = 0          # a hypothesis of no Granger causality from gdp to ttr
sddr            = verify_autoregression(posterior, H0)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuv |>
  specify_bsvar_sv$new(p = 1) |>
  estimate(S = 10, thin = 1) |>
  verify_autoregression(hypothesis = H0) -> sddr
```

---

verify_volatility	<i>Verifies heteroskedasticity of structural shocks equation by equation</i>
-------------------	--

---

### Description

Computes the logarithm of Bayes factor for the homoskedasticity hypothesis for each of the structural shocks via Savage-Dickey Density Ratio (SDDR). The hypothesis of homoskedasticity,  $H_0$ , is represented by model-specific restrictions. Consult help files for individual classes of models for details. The logarithm of Bayes factor for this hypothesis can be computed using the SDDR as the difference of logarithms of the marginal posterior distribution ordinate at the restriction less the marginal prior distribution ordinate at the same point:

$$\log p(H_0 | data) - \log p(H_0)$$

Therefore, a negative value of the difference is the evidence against homoskedasticity of the structural shock. The estimation of both elements of the difference requires numerical integration.

### Usage

```
verify_volatility(posterior)
```

### Arguments

`posterior` the posterior element of the list from the estimation outcome

### Value

An object of class SDDR that is a list of three components:

`logSDDR` an N-vector with values of the logarithm of the Bayes factors for the homoskedasticity hypothesis for each of the shocks

`log_SDDR_se` an N-vector with estimation standard errors of the logarithm of the Bayes factors reported in output element `logSDDR` that are computed based on 30 random sub-samples of the log-ordinates of the marginal posterior and prior distributions.

`components` a list of three components for the computation of the Bayes factor

**log\_denominator** an N-vector with values of the logarithm of the Bayes factor denominators

**log\_numerator** an N-vector with values of the logarithm of the Bayes factor numerators

**log\_numerator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the numerator

**se\_components** an Nx30 matrix containing the log-Bayes factors on the basis of which the standard errors are computed

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

## References

Lütkepohl, H., and Woźniak, T., (2020) Bayesian Inference for Structural Vector Autoregressions Identified by Markov-Switching Heteroskedasticity. *Journal of Economic Dynamics and Control* **113**, 103862, doi:10.1016/j.jedc.2020.103862.

Lütkepohl, H., Shang, F., Uzeda, L., and Woźniak, T., (2023) Partial Identification of Heteroskedastic Structural VARs: Theory and Bayesian Inference.

## Examples

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 1)
set.seed(123)

# estimate the model
posterior     = estimate(specification, 10, thin = 1)

# verify heteroskedasticity
sddr         = verify_volatility(posterior)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_sv$new(p = 1) |>
  estimate(S = 10, thin = 1) |>
  verify_volatility() -> sddr
```

---

```
verify_volatility.PosteriorBSVAR
```

*Verifies heteroskedasticity of structural shocks equation by equation*

---

## Description

Displays information that the model is homoskedastic.

## Usage

```
## S3 method for class 'PosteriorBSVAR'
verify_volatility(posterior)
```

## Arguments

posterior        the posterior element of the list from the estimation outcome

**Value**

Nothing. Just displays a message: The model is homoskedastic.

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Lütkepohl, H., and Woźniak, T., (2020) Bayesian Inference for Structural Vector Autoregressions Identified by Markov-Switching Heteroskedasticity. *Journal of Economic Dynamics and Control* **113**, 103862, doi:[10.1016/j.jedc.2020.103862](https://doi.org/10.1016/j.jedc.2020.103862).

Lütkepohl, H., Shang, F., Uzeda, L., and Woźniak, T., (2023) Partial Identification of Heteroskedastic Structural VARs: Theory and Bayesian Inference.

**Examples**

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar$new(us_fiscal_lsuw, p = 1)
set.seed(123)

# estimate the model
posterior      = estimate(specification, 5, thin = 1)

# verify heteroskedasticity
sddr           = verify_volatility(posterior)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar$new(p = 1) |>
  estimate(S = 5, thin = 1) |>
  verify_volatility() -> sddr
```

---

verify\_volatility.PosteriorBSVARMIX

*Verifies heteroskedasticity of structural shocks equation by equation*

---



**Description**

Computes the logarithm of Bayes factor for the homoskedasticity hypothesis for each of the structural shocks via Savage-Dickey Density Ratio (SDDR). The hypothesis of homoskedasticity is represented by restriction:

$$H_0 : \sigma_{n.1}^2 = \dots = \sigma_{n.M}^2 = 1$$

The logarithm of Bayes factor for this hypothesis can be computed using the SDDR as the difference of logarithms of the marginal posterior distribution ordinate at the restriction less the marginal prior distribution ordinate at the same point:

$$\text{logp}(\omega_n = 0|data) - \text{logp}(\omega_n = 0)$$

Therefore, a negative value of the difference is the evidence against homoskedasticity of the structural shock. The estimation of both elements of the difference requires numerical integration.

**Usage**

```
## S3 method for class 'PosteriorBSVARMIX'
verify_volatility(posterior)
```

**Arguments**

posterior      the posterior element of the list from the estimation outcome

**Value**

An object of class SDDR that is a list of three components:

**logSDDR** an N-vector with values of the logarithm of the Bayes factors for the homoskedasticity hypothesis for each of the shocks

**log\_SDDR\_se** an N-vector with estimation standard errors of the logarithm of the Bayes factors reported in output element **logSDDR** that are computed based on 30 random sub-samples of the log-ordinates of the marginal posterior and prior distributions.

**components** a list of three components for the computation of the Bayes factor

**log\_denominator** an N-vector with values of the logarithm of the Bayes factor denominators

**log\_numerator** an N-vector with values of the logarithm of the Bayes factor numerators

**log\_numerator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the numerator

**se\_components** an Nx30 matrix containing the log-Bayes factors on the basis of which the standard errors are computed

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

## References

Lütkepohl, H., and Woźniak, T., (2020) Bayesian Inference for Structural Vector Autoregressions Identified by Markov-Switching Heteroskedasticity. *Journal of Economic Dynamics and Control* **113**, 103862, doi:10.1016/j.jedc.2020.103862.

Lütkepohl, H., Shang, F., Uzeda, L., and Woźniak, T., (2023) Partial Identification of Heteroskedastic Structural VARs: Theory and Bayesian Inference.

## See Also

[specify\\_bsvar\\_mix](#), [estimate](#)

## Examples

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_mix$new(us_fiscal_lsuw, p = 1, M = 2)
set.seed(123)

# estimate the model
posterior      = estimate(specification, 10, thin = 1)

# verify heteroskedasticity
sddr           = verify_volatility(posterior)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_mix$new(p = 1, M = 2) |>
  estimate(S = 10, thin = 1) |>
  verify_volatility() -> sddr
```

---

verify\_volatility.PosteriorBSVARMSH

*Verifies heteroskedasticity of structural shocks equation by equation*

---

## Description

Computes the logarithm of Bayes factor for the homoskedasticity hypothesis for each of the structural shocks via Savage-Dickey Density Ratio (SDDR). The hypothesis of homoskedasticity is represented by restriction:

$$H_0 : \sigma_{n,1}^2 = \dots = \sigma_{n,M}^2 = 1$$

The logarithm of Bayes factor for this hypothesis can be computed using the SDDR as the difference of logarithms of the marginal posterior distribution ordinate at the restriction less the marginal prior distribution ordinate at the same point:

$$\log p(\omega_n = 0|data) - \log p(\omega_n = 0)$$

Therefore, a negative value of the difference is the evidence against homoskedasticity of the structural shock. The estimation of both elements of the difference requires numerical integration.

### Usage

```
## S3 method for class 'PosteriorBSVARMSH'
verify_volatility(posterior)
```

### Arguments

posterior      the posterior element of the list from the estimation outcome

### Value

An object of class SDDR that is a list of three components:

**logSDDR** an N-vector with values of the logarithm of the Bayes factors for the homoskedasticity hypothesis for each of the shocks

**log\_SDDR\_se** an N-vector with estimation standard errors of the logarithm of the Bayes factors reported in output element **logSDDR** that are computed based on 30 random sub-samples of the log-ordinates of the marginal posterior and prior distributions.

**components** a list of three components for the computation of the Bayes factor

**log\_denominator** an N-vector with values of the logarithm of the Bayes factor denominators

**log\_numerator** an N-vector with values of the logarithm of the Bayes factor numerators

**log\_numerator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the numerator

**se\_components** an Nx30 matrix containing the log-Bayes factors on the basis of which the standard errors are computed

### Author(s)

Tomasz Woźniak <wozniak.tom@pm.me>

### References

Lütkepohl, H., and Woźniak, T., (2020) Bayesian Inference for Structural Vector Autoregressions Identified by Markov-Switching Heteroskedasticity. *Journal of Economic Dynamics and Control* **113**, 103862, doi:[10.1016/j.jedc.2020.103862](https://doi.org/10.1016/j.jedc.2020.103862).

Lütkepohl, H., Shang, F., Uzeda, L., and Woźniak, T., (2023) Partial Identification of Heteroskedastic Structural VARs: Theory and Bayesian Inference.

**See Also**

[specify\\_bsvar\\_msh](#), [estimate](#)

**Examples**

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)

# specify the model and set seed
specification = specify_bsvar_msh$new(us_fiscal_lsuw, p = 1, M = 2)
set.seed(123)

# estimate the model
posterior      = estimate(specification, 10, thin = 1)

# verify heteroskedasticity
sddr           = verify_volatility(posterior)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_msh$new(p = 1, M = 2) |>
  estimate(S = 10, thin = 1) |>
  verify_volatility() -> sddr
```

---

verify\_volatility.PosteriorBSVARSV

*Verifies heteroskedasticity of structural shocks equation by equation*

---

**Description**

Computes the logarithm of Bayes factor for the homoskedasticity hypothesis for each of the structural shocks via Savage-Dickey Density Ratio (SDDR). The hypothesis of homoskedasticity is represented by restriction:

$$H_0 : \omega_n = 0$$

The logarithm of Bayes factor for this hypothesis can be computed using the SDDR as the difference of logarithms of the marginal posterior distribution ordinate at the restriction less the marginal prior distribution ordinate at the same point:

$$\log p(\omega_n = 0 | data) - \log p(\omega_n = 0)$$

Therefore, a negative value of the difference is the evidence against homoskedasticity of the structural shock. The estimation of both elements of the difference requires numerical integration.

**Usage**

```
## S3 method for class 'PosteriorBSVARSV'
verify_volatility(posterior)
```

**Arguments**

posterior        the posterior element of the list from the estimation outcome

**Value**

An object of class SDDR that is a list of three components:

logSDDR an N-vector with values of the logarithm of the Bayes factors for the homoskedasticity hypothesis for each of the shocks

log\_SDDR\_se an N-vector with estimation standard errors of the logarithm of the Bayes factors reported in output element logSDDR that are computed based on 30 random sub-samples of the log-ordinates of the marginal posterior and prior distributions.

components a list of three components for the computation of the Bayes factor

**log\_denominator** an N-vector with values of the logarithm of the Bayes factor denominators

**log\_numerator** an N-vector with values of the logarithm of the Bayes factor numerators

**log\_numerator\_s** an NxS matrix of the log-full conditional posterior density ordinates computed to estimate the numerator

**se\_components** an Nx30 matrix containing the log-Bayes factors on the basis of which the standard errors are computed

**Author(s)**

Tomasz Woźniak <wozniak.tom@pm.me>

**References**

Lütkepohl, H., and Woźniak, T., (2020) Bayesian Inference for Structural Vector Autoregressions Identified by Markov-Switching Heteroskedasticity. *Journal of Economic Dynamics and Control* **113**, 103862, doi:10.1016/j.jedc.2020.103862.

Lütkepohl, H., Shang, F., Uzeda, L., and Woźniak, T., (2023) Partial Identification of Heteroskedastic Structural VARs: Theory and Bayesian Inference.

**See Also**

[specify\\_bsvar\\_sv](#), [estimate](#)

**Examples**

```
# simple workflow
#####
# upload data
data(us_fiscal_lsuw)
```

```
# specify the model and set seed
specification = specify_bsvar_sv$new(us_fiscal_lsuw, p = 1)
set.seed(123)

# estimate the model
posterior     = estimate(specification, 10, thin = 1)

# verify heteroskedasticity
sddr          = verify_volatility(posterior)

# workflow with the pipe |>
#####
set.seed(123)
us_fiscal_lsuw |>
  specify_bsvar_sv$new(p = 1) |>
  estimate(S = 10, thin = 1) |>
  verify_volatility() -> sddr
```

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